

Challenges for emittance diagnostics for the ESRF low emittance lattice

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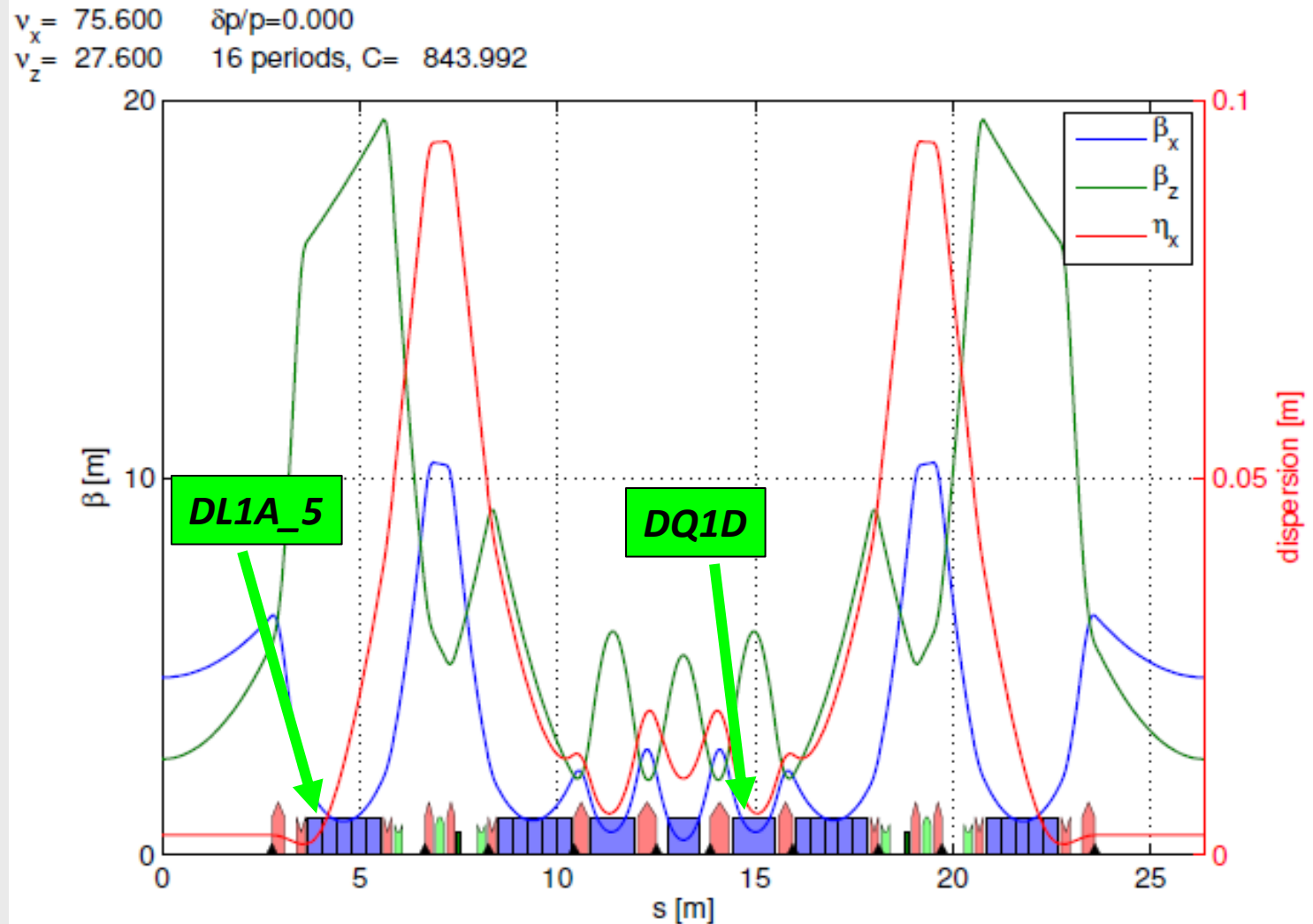
The ESRF will install a new low emittance lattice from 2019 onwards.

*The **horizontal design emittance of $\varepsilon_x = 110$ pm** will give rise to a very small vertical emittance which in the extreme/ideal case of a perfectly well corrected machine may reach values of **ε_z below 1 pm**.*

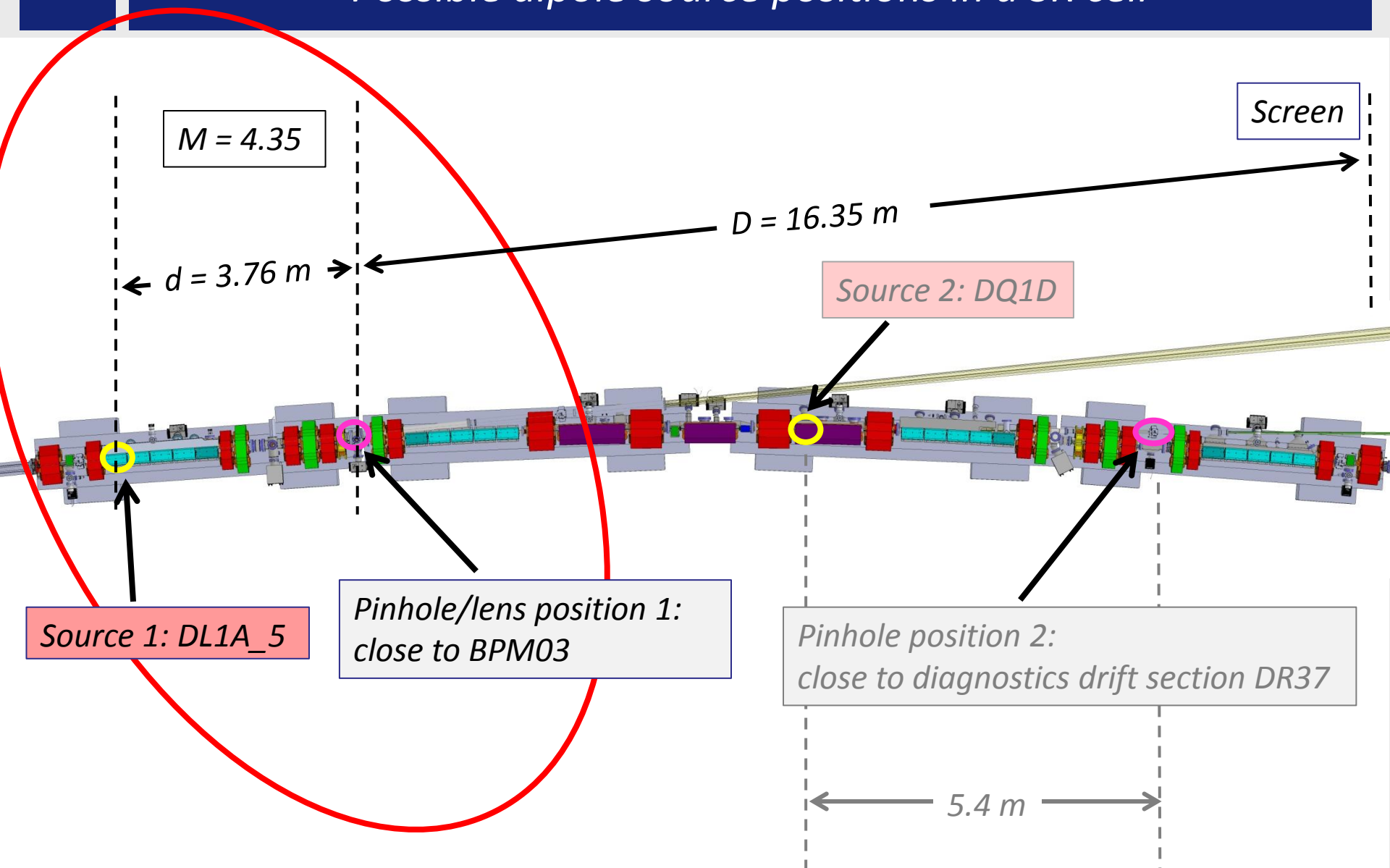
The measurement of such emittances is a challenge for mainly two reasons :

- 1. the small source beam sizes and*
- 2. the very limited space available in the mechanical layout of the new lattice.*

Available dipole source points for emittance monitors



Possible dipole source positions in a SR cell



Expected vertical emittances and beam sizes @ DL1A_5

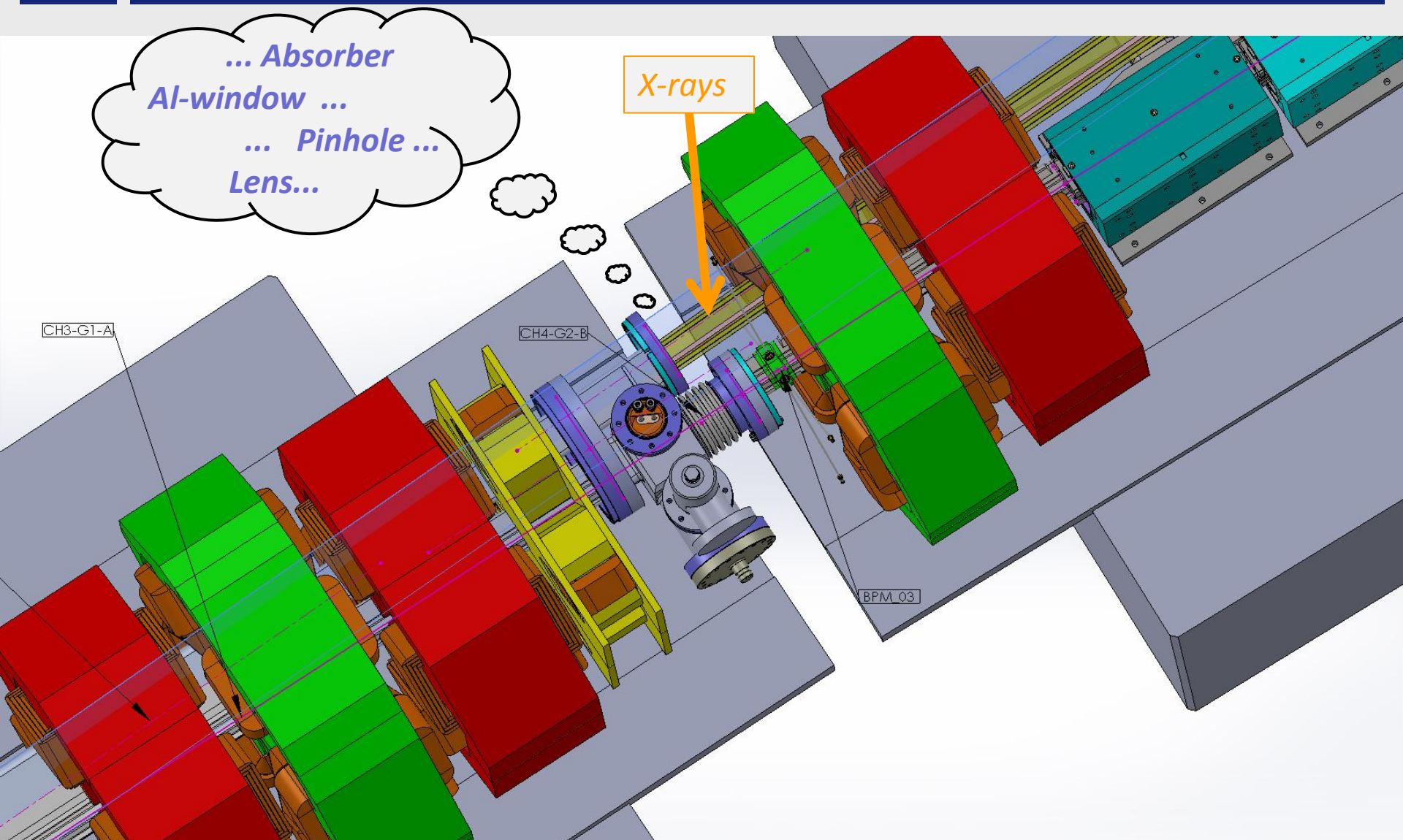
$$\varepsilon_x = 110 \text{ pm}$$

$$\sigma_x @ \text{source} = 11 \text{ } \mu\text{m}$$

$$\Sigma_x \text{ in image plane} = 48 \text{ } \mu\text{m}$$

		<i>Perfectly corrected lattice</i>	<i>User Service Mode</i>
<i>coupling</i>	--	0.001	0.047
$\sigma_z @ \text{source}$	μm	1.4	9
ε_z	pm	0.1	5
$\Sigma_z \text{ in image plane}$	μm	6	40

Pinhole/lens position option 1 (DL1A_5) - ID beam port



X-ray Pinhole



Resolution determined by :

1. *diffraction from pinhole (minimum pinhole size)*
2. *projection shadow (upper limit of pinhole size)*

Detectability limited by :

1. *beam size on detection screen
(magnification $M = D/d$)*
2. *photon flux*

Pinhole: optimum size and resolution

Optimum pinhole size
= equilibrium between diffraction limit
and projected shadow:

$$A_{opt} = \sqrt{\sqrt{3} \frac{\lambda d D}{d + D}} = 10 \mu m \quad [*]$$



Minimum resolvable beam size
and emittance
using pinhole with A_{opt} :

$$\sigma_{min} = \sqrt{\frac{\lambda d}{2\sqrt{3}} \frac{D+d}{D}} \quad \varepsilon_{min} = \frac{\sigma_{min}^2}{\beta}$$



Implementation at DL1A 5 source:

($B = 0.67 \text{ T}$, $\beta_z = 16.6 \text{ m}$, $\beta_x = 1.5 \text{ m}$, $d = 3.76 \text{ m}$, $D = 16.35 \text{ m}$)

$$\sigma_{min} = 5 \mu m$$



$$\varepsilon_{z, min} = 1.5 \text{ pm}$$



(O.K. for USM)

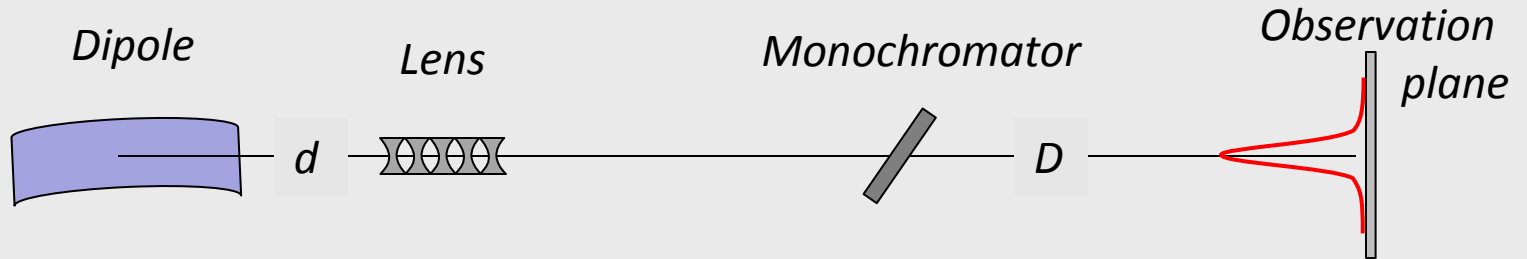
$$\varepsilon_{x, min} = 16.0 \text{ pm}$$



O.K.

[*] Note from P. Elleaume

X-ray lens



Resolution determined by :

1. *diffraction limited imaging resolution of the lens*
2. *lens aberrations*
3. *imperfections of monochromator*
4. *depth of field (object plane)*

Detectability limited by :

1. *beam size on detection screen
(magnification $M = D/d$)*
2. *photon flux*

CRL: theoretical resolution limit

Minimum resolvable source size:

(A_{eff} : effective lens aperture = $f(E_{\text{ph}}, N)$)

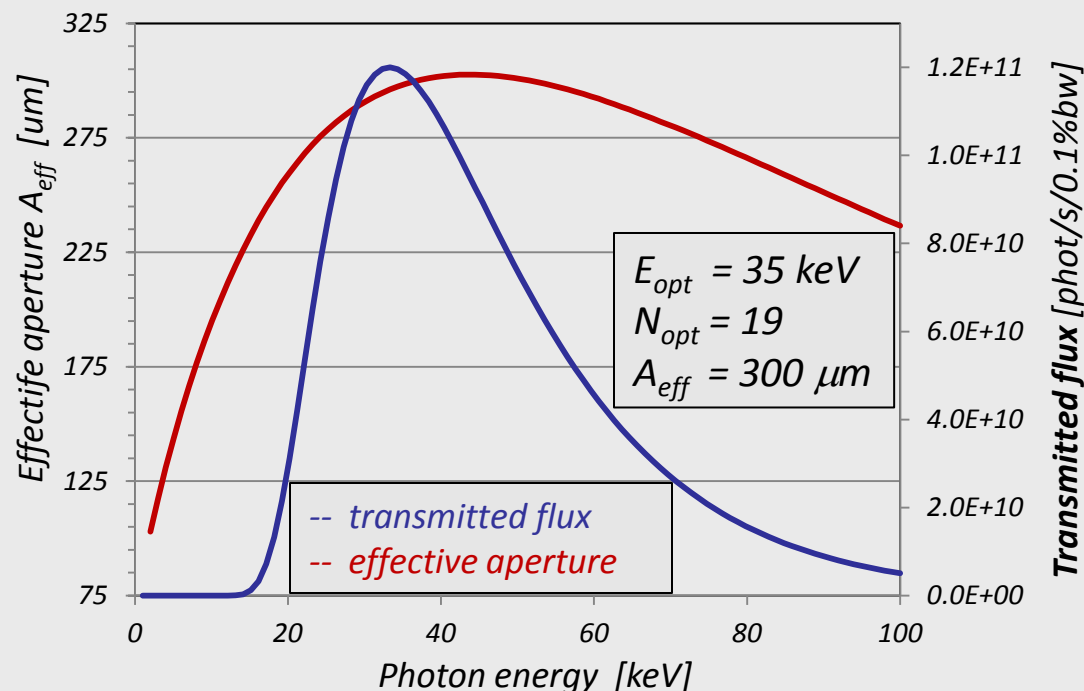
$$\sigma_{\min} = \frac{\lambda d}{2A_{\text{eff}}}$$

Implementation at DL1A 5 source:

($B = 0.67 \text{ T}$, $\beta_z = 16.6 \text{ m}$, $\beta_x = 1.5 \text{ m}$, $d = 3.76 \text{ m}$, $D = 16.35 \text{ m}$)

Photon energy optimised on maximum transmitted flux.

(Number of lenses N adapted to each photon energy.)



$$\sigma_{\min} = 0.25 \mu\text{m}$$



$$\varepsilon_{z, \min} = 0.003 \text{ pm}$$

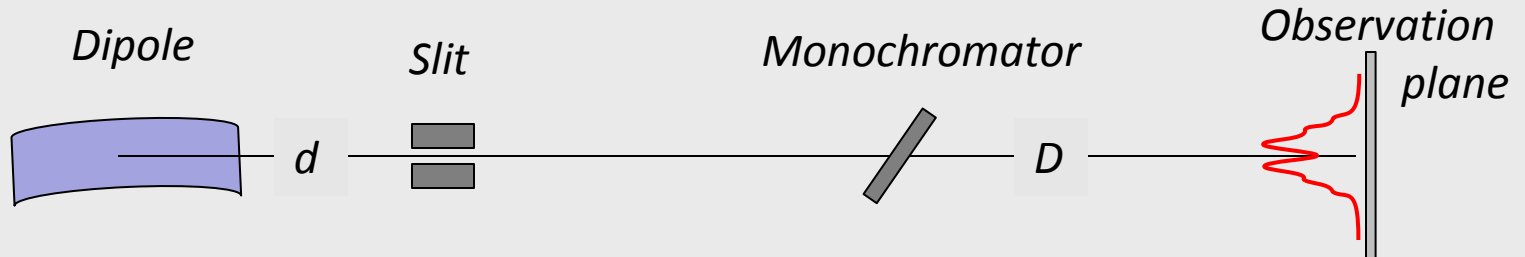


BUT in reality???



- lens quality?
- monochromator?
- depth of field effects?

X-ray Fresnel diffraction from a slit



Resolution determined by :

1. *photon energy*
2. *slit size*
3. *simulations*
4. *imperfections of monochromator*

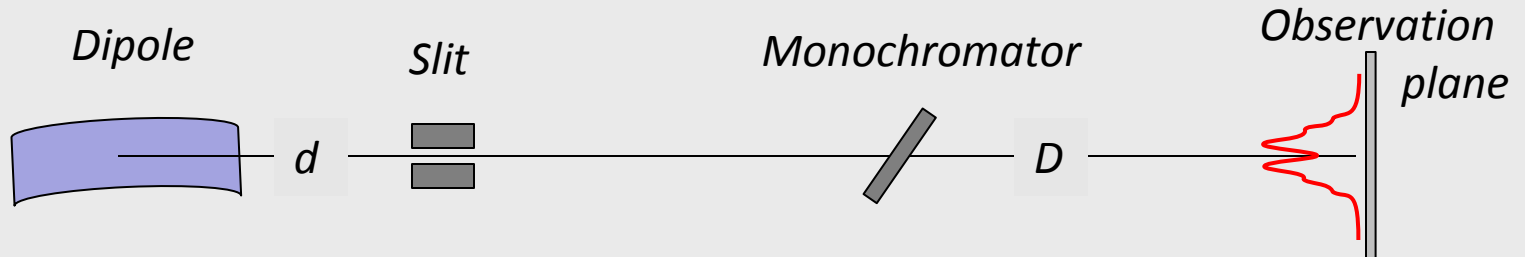
Detectability limited by :

1. *beam size on detection screen*
2. *photon flux*
3. *CCD camera: high contrast, high resolution*

References:

- [1] M. Masaki et al., "X-ray Fresnel diffractometry for ultralow emittance diagnostics of next generation synchrotron light sources", *PR Special Topics – Accelerators and Beams*, 18, 042802 (2015)
- [2] O. Chubar, "X-ray interference methods of electron beam diagnostics", *Proceedings DIPAC 2001, Grenoble*, p.88, CT09

X-ray Fresnel diffraction from a slit



Optimum slit size for obtaining a
« simple » double-lobed diffraction pattern [1]:

$$a \approx \sqrt{7\lambda \frac{dD}{d+D}}$$

Simulations with SRW for the ESRF low emittance lattice:

d	$= 3.76 \text{ m}$	D	$= 16.35 \text{ m}$
E_{beam}	$= 6 \text{ GeV}$	A	$= 200 \text{ mA}$
E_{ph}	$= 40 \text{ keV}$	ε_x	$= 0.11 \text{ pm}$



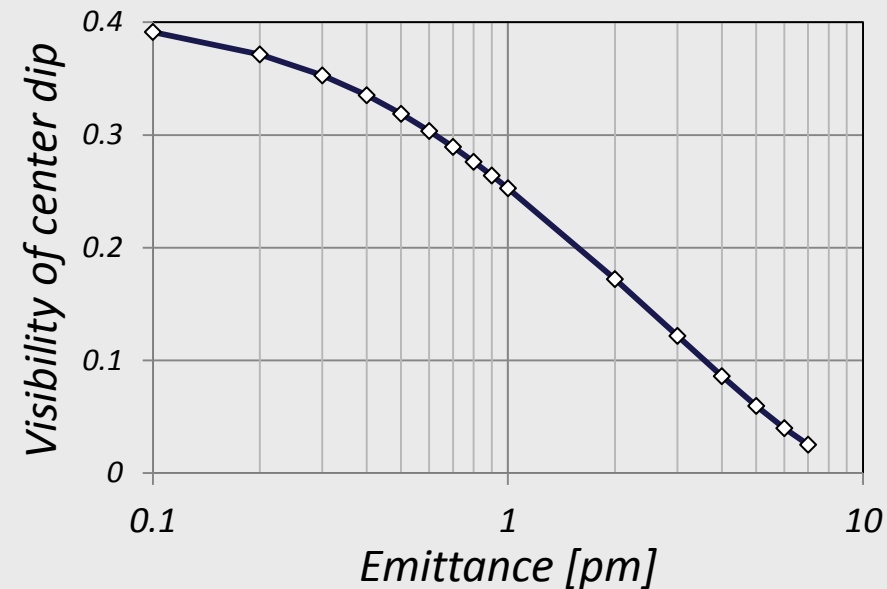
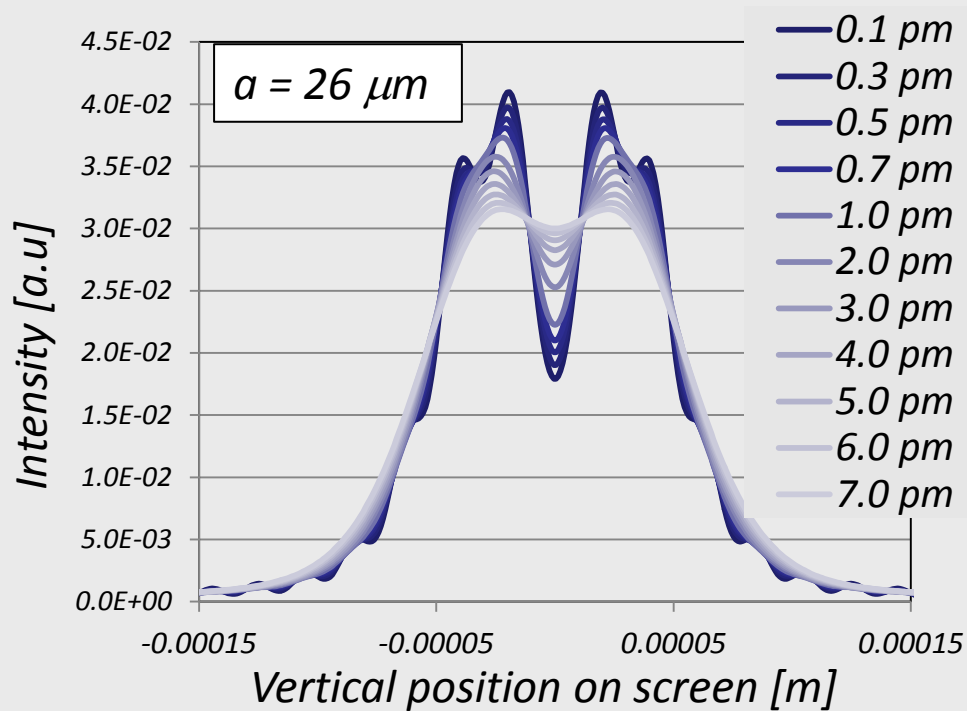
$$a = 26 \mu\text{m}$$



[1] M. Masaki et al., “X-ray Fresnel diffractometry for ultralow emittance diagnostics of next generation synchrotron light sources”, *PR Special Topics – Accelerators and Beams*, 18, 042802 (2015)

X-ray Fresnel diffraction from a slit

Simulations with SRW for the ESRF low emittance lattice:



Conclusions

$$\varepsilon_x = 110 \text{ pm}$$

$$\sigma_x \text{ @ source} = 11 \text{ } \mu\text{m}$$

$$\Sigma_x \text{ in image plane} = 48 \text{ } \mu\text{m}$$

		Perfectly corrected lattice	User Service Mode
coupling	--	0.001	0.047
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X-ray diffraction

X-ray lens

Pinhole

Positive: X-ray pinhole, lens, X-ray diffraction can be done at the same location, no special beamline or setup needed!

Requirements for energy spread measurement:

2 locations s_1 and s_2 of horizontal beam size measurement with $\eta(s_1) < \eta(s_2)$

$$\rightarrow \eta_1 @ DL1A_5 = 0.0015 \text{ m}$$

$$\rightarrow \eta_2 @ DQ1D = 0.0126 \text{ m}$$

Contribution of dispersion to the total beam size at the source:

		DL1A_5	DQ1D
σ_{tot}	$[\mu\text{m}]$	13	17
σ_{disp}	$[\mu\text{m}]$	1.4	12
$\sigma_{disp}/\sigma_{tot}$	$[\%]$	11	70

\rightarrow 1 pinhole @ DL1A_5 + 1 pinhole @ DQ1D

\rightarrow Energy spread calculated from the two measured beam sizes σ_1 and σ_2 :

$$\sigma_e = \sqrt{\frac{\beta_2 \sigma_1^2 - \beta_1 \sigma_2^2}{\beta_2 \eta_1^2 - \beta_1 \eta_2^2}}$$