

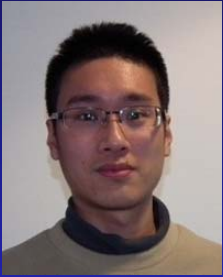
The Electronic Ground State of Sr_2IrO_4 : a Core Level Resonant Inelastic X-ray Scattering Study

Stefano Agrestini



Collaborators

MPI for Chemical Physics of Solids (Dresden)



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Hidenori Takagi



Tomohiro Takayama

The $J_{\text{eff}}=1/2$ Mott ground state

- Large Crystal Field ($10Dq$):

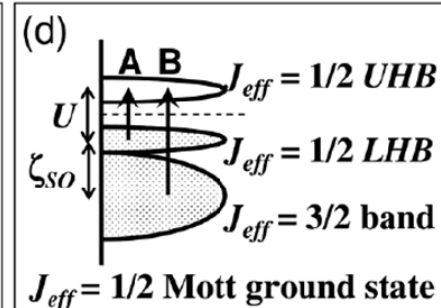
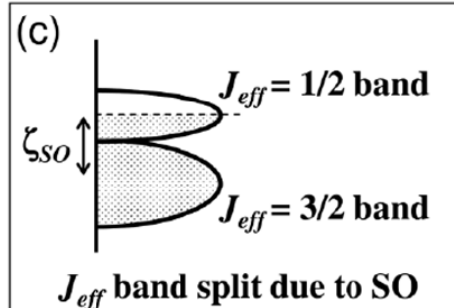
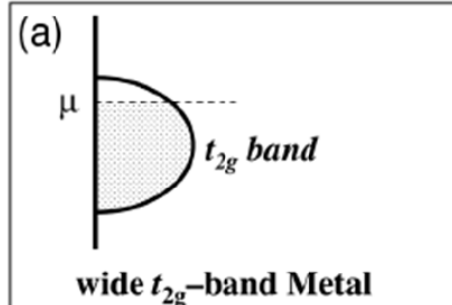
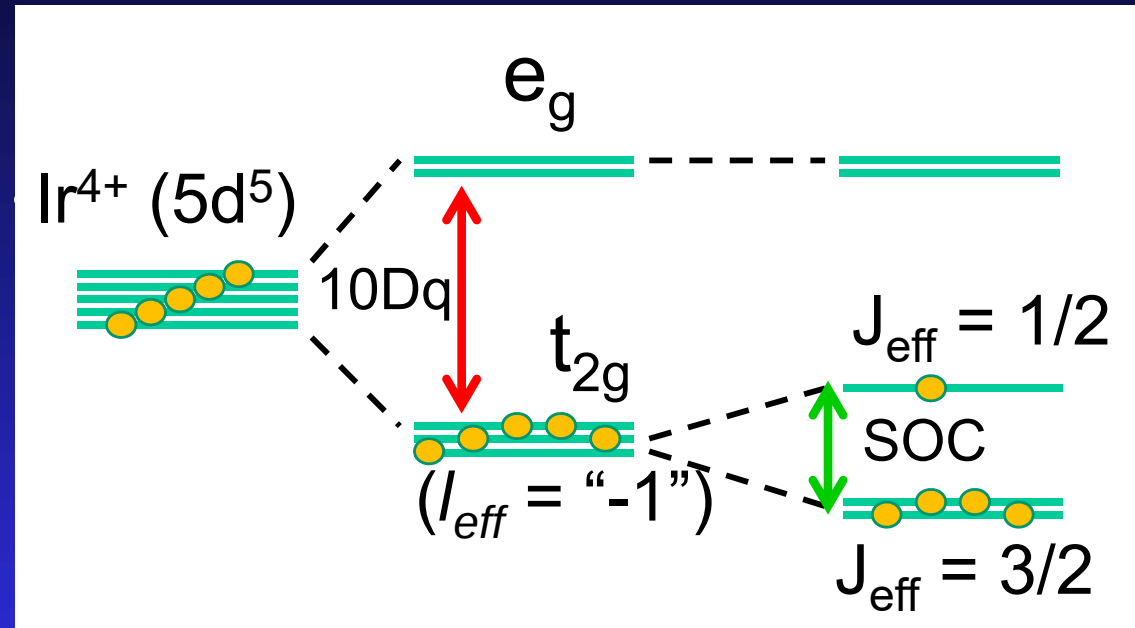
→ t_{2g}^5 configuration with $I = 1$

- Strong SOC:

→ t_{2g} splits into $J_{\text{eff}} = 3/2$ and $1/2$

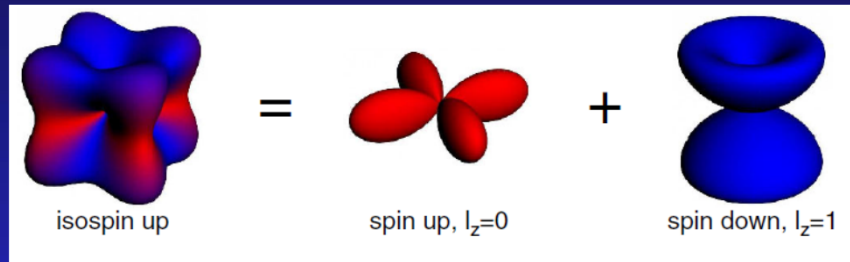
- Narrow $J_{\text{eff}} = 1/2$ band :

→ a moderate U can induce
a Mott gap splitting

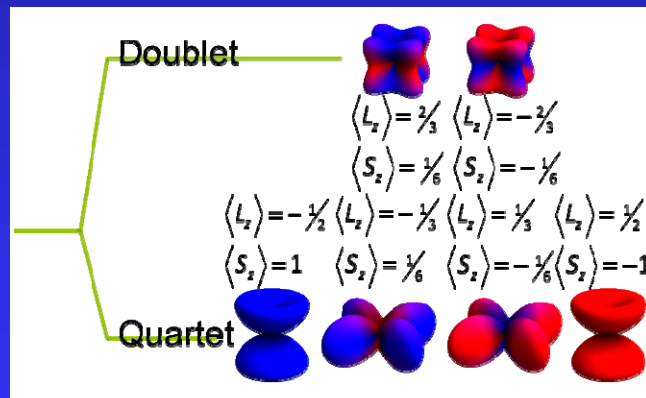


B.J. Kim et al, PRL (2008)

The $J_{\text{eff}}=1/2$ Mott ground state

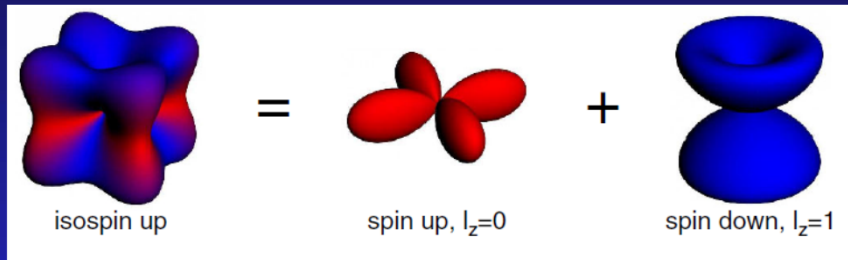


$$|J_{\text{eff}} = 1/2, m_j = \pm 1/2\rangle = (|yz \pm \sigma\rangle \mp i|zx \pm \sigma\rangle \mp |xy \mp \sigma\rangle)/\sqrt{3}$$



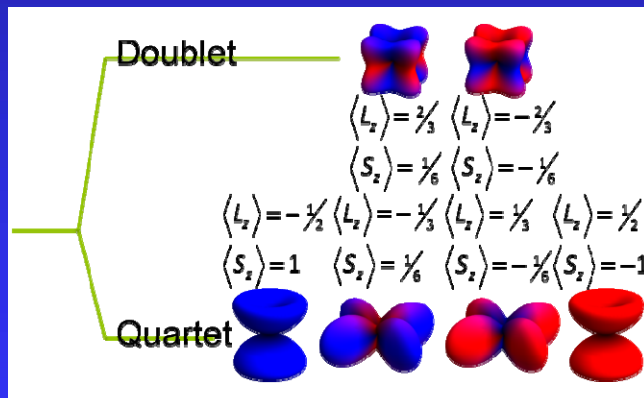
Ionic model in cubic local symmetry
(equal admixture of the three t_{2g} orbitals
 xy , xz , yz)

The $J_{\text{eff}}=1/2$ Mott ground state



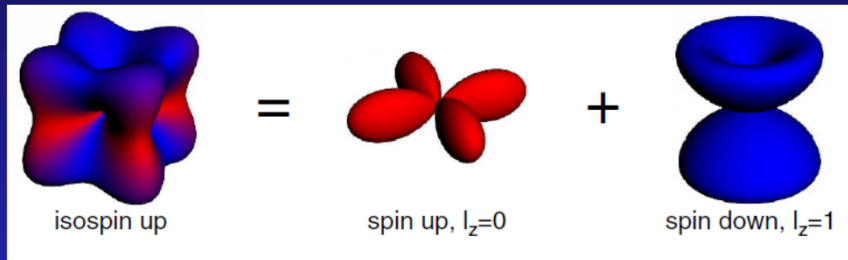
However local structure of Sr_2IrO_4 (and many other iridates) are not cubic and the distortion induces a mixing of $J_{\text{eff}}=1/2$ and $3/2$

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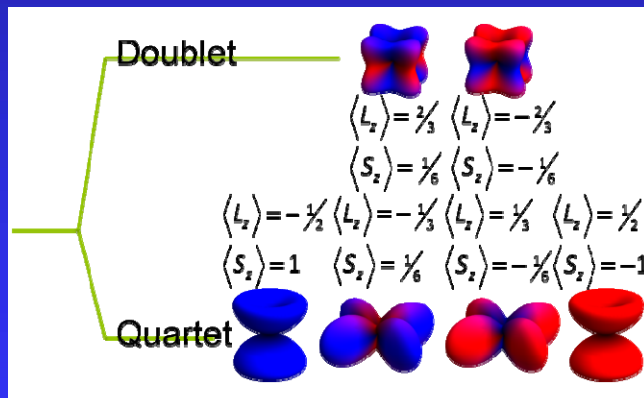
The $J_{\text{eff}}=1/2$ Mott ground state



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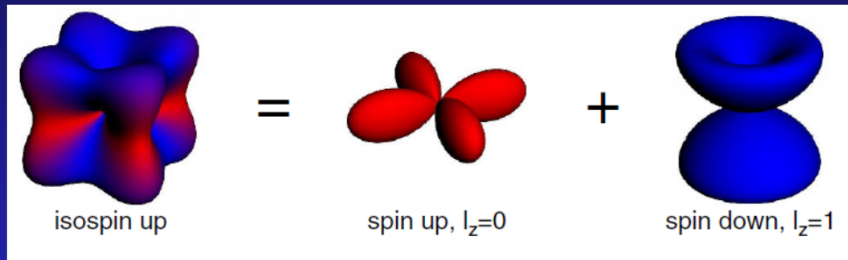
Finite $10Dq \rightarrow$ mixing t_{2g} and e_g orbitals

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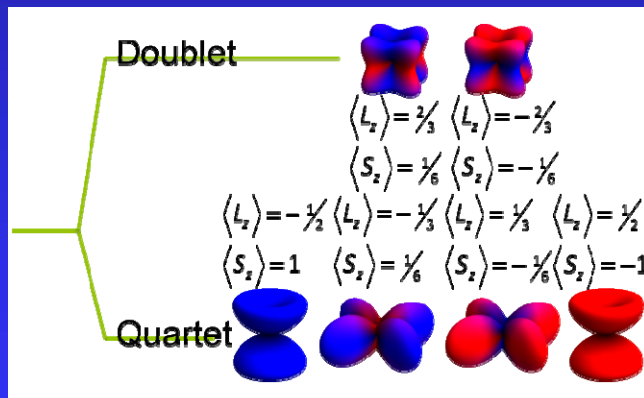
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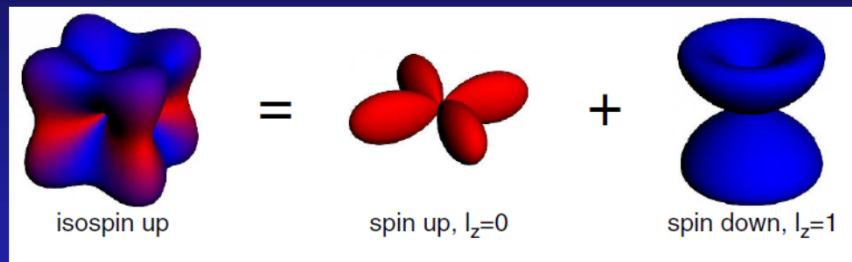
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Covalency is important in iridates
(Mazin 2012)

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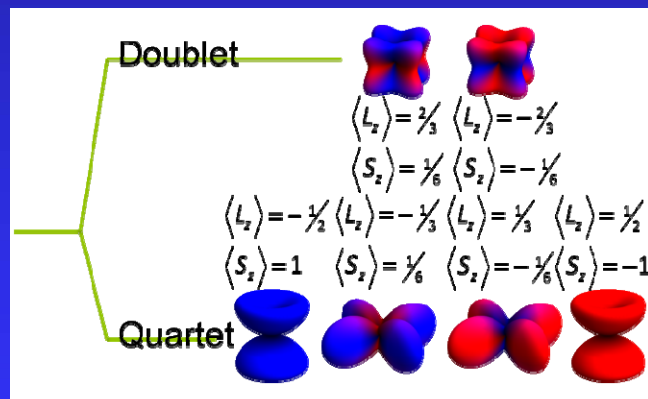
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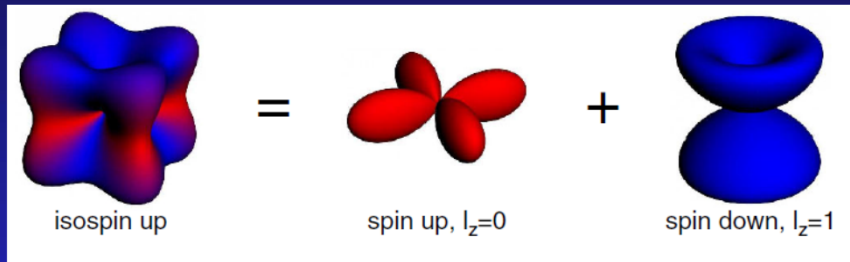


Covalency is important in iridates (Mazin 2012)

How non-cubic distortions, finite $10Dq$ and covalency affect the ground state?

Ionic model in cubic local symmetry (equal admixture of the three t_{2g} orbitals xy , xz , yz)

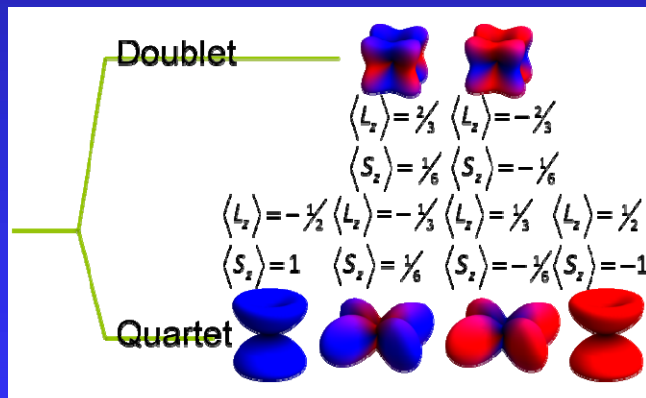
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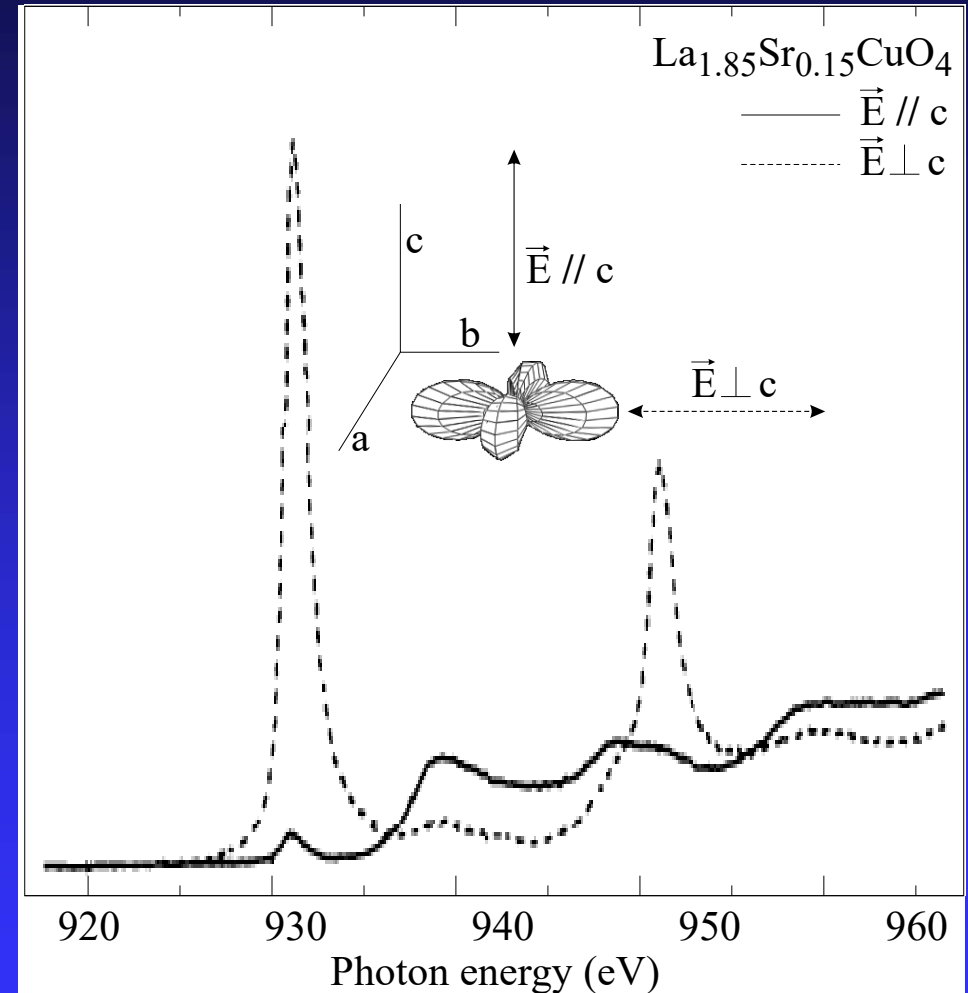
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Ionic model in cubic local symmetry
(equal admixture of the three t_{2g} orbitals
 xy , xz , yz)

Find this out with polarization
dependent spectroscopy

XAS LD (Linear Dichroism)

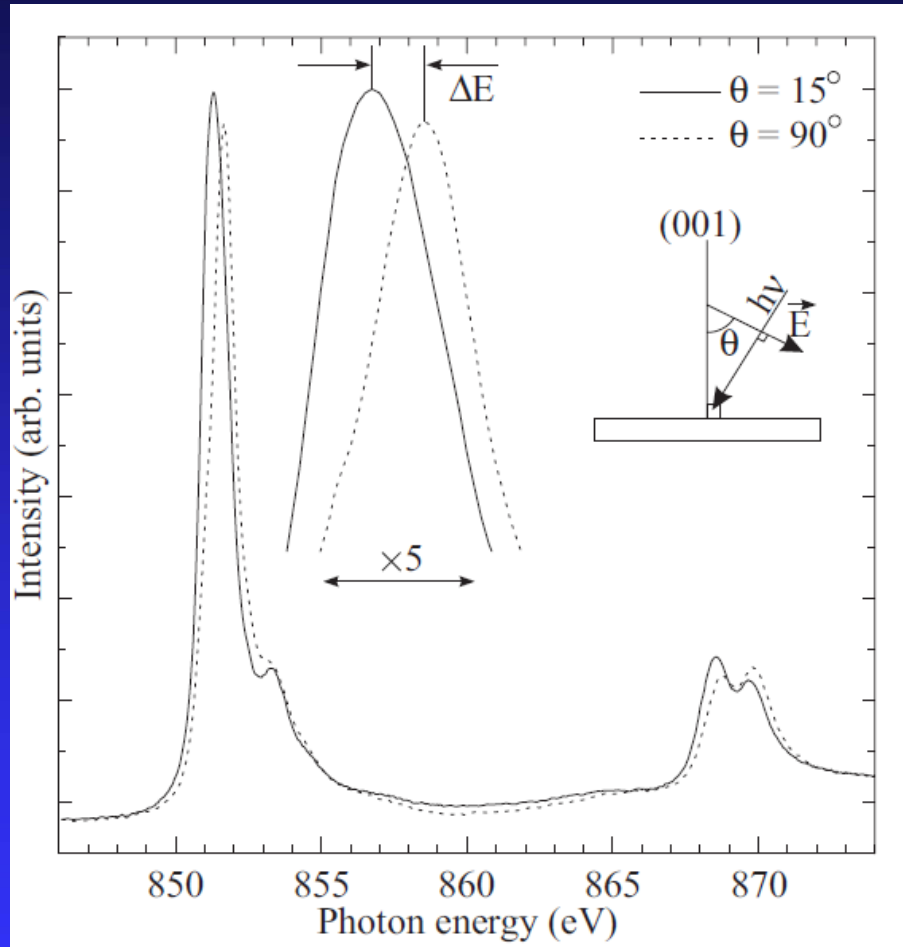
C. T. Chen *et al.* Phys. Rev. Lett. **68**, 2543 (1992)



Linear Dichroism is sensitive to
orbital occupation

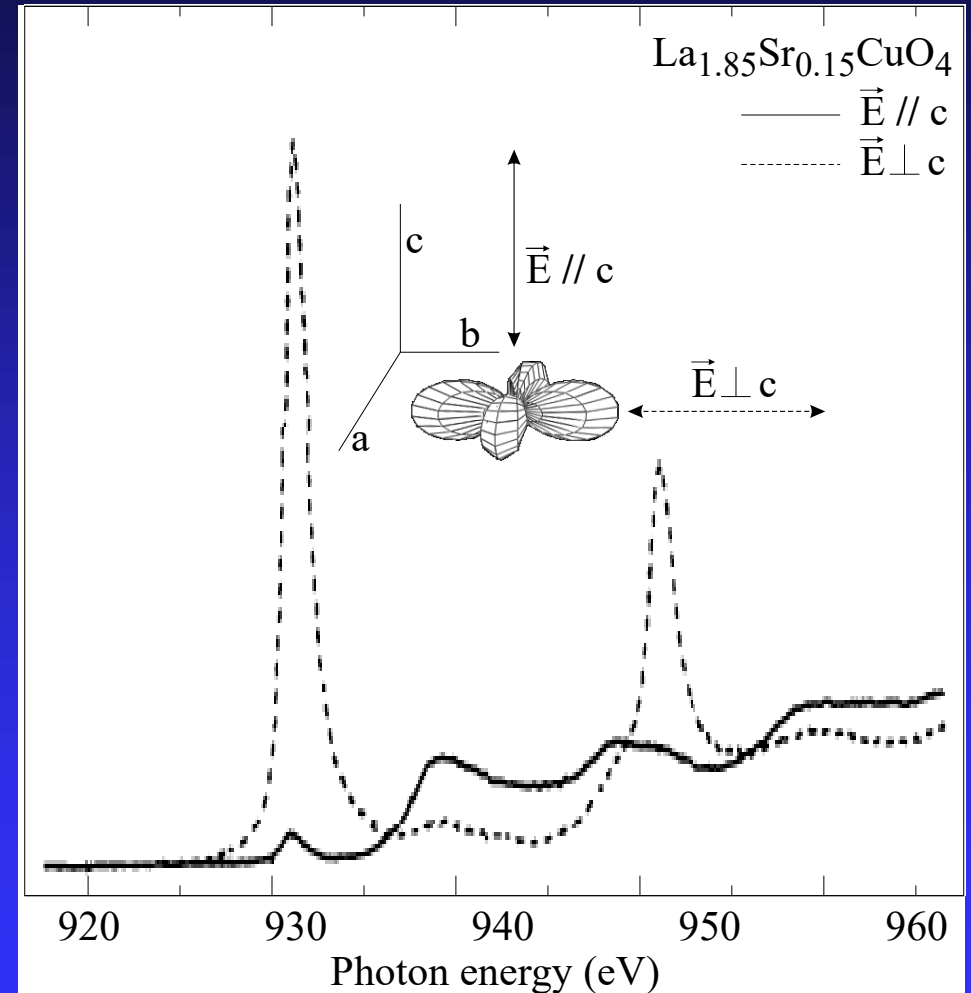
XAS LD (Linear Dichroism)

M. Haverkort *et al.* PRB **69**, 020408R (2004)



Sensitive to crystal field splitting

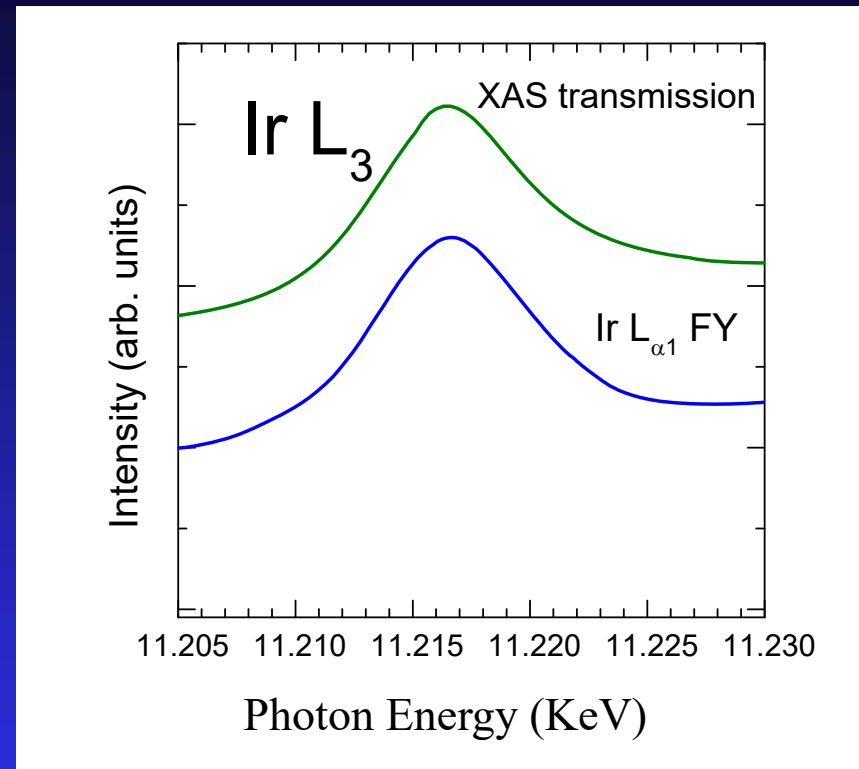
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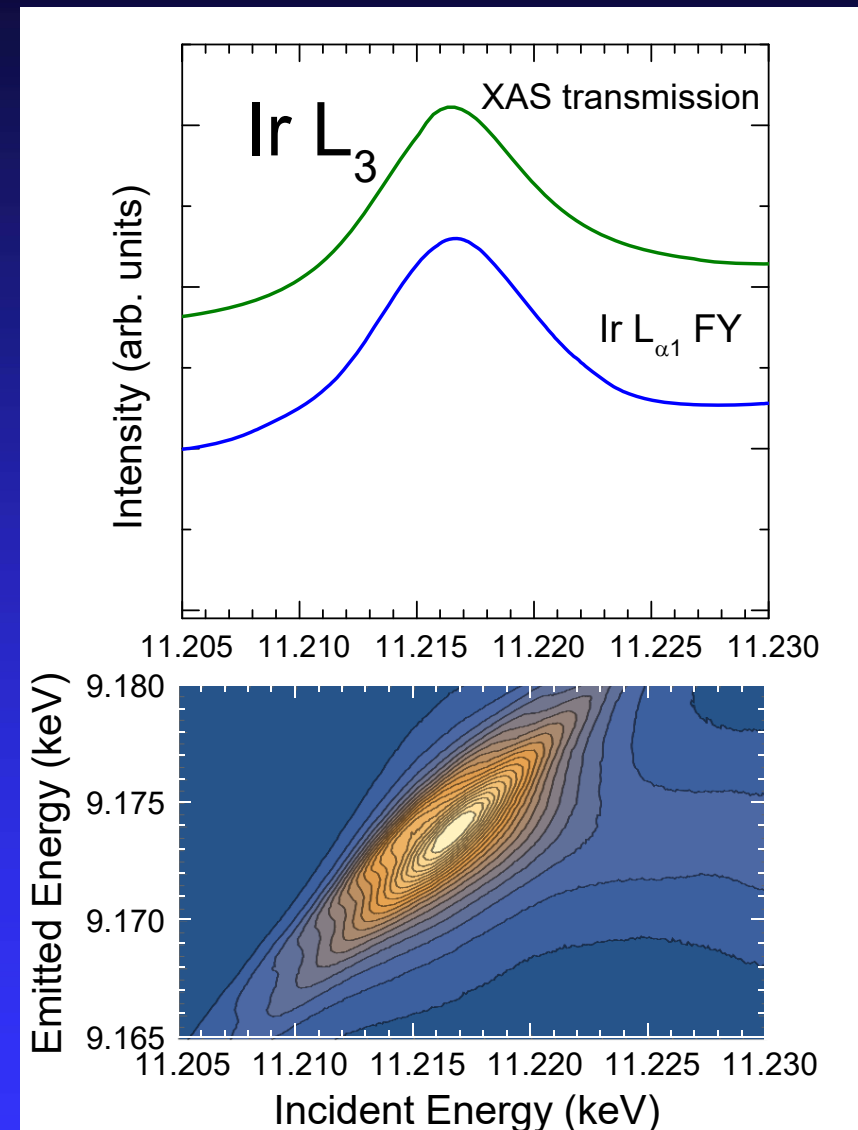
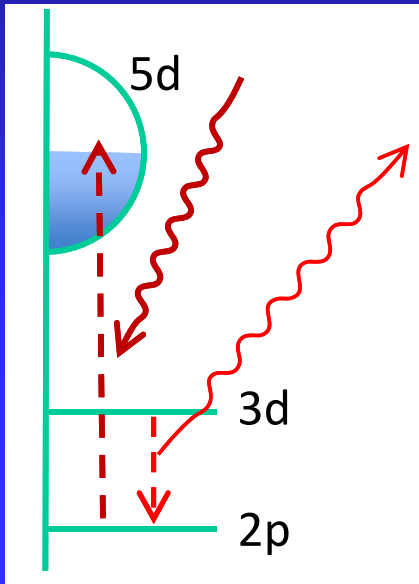
XAS on Ir $L_{2,3}$

Unfortunately the broadening of the lineshape due to the $2p_{3/2}$ core hole lifetime makes the spectrum rather featureless



RIXS on Ir L_3

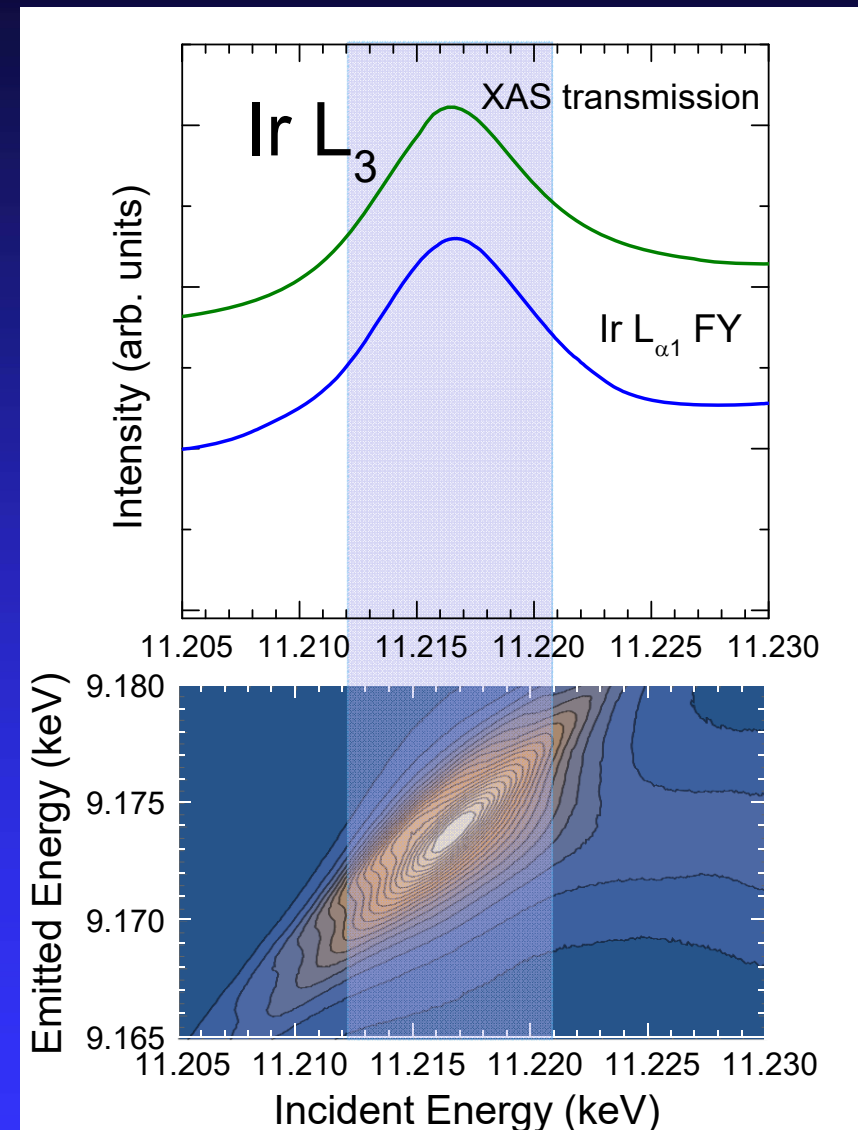
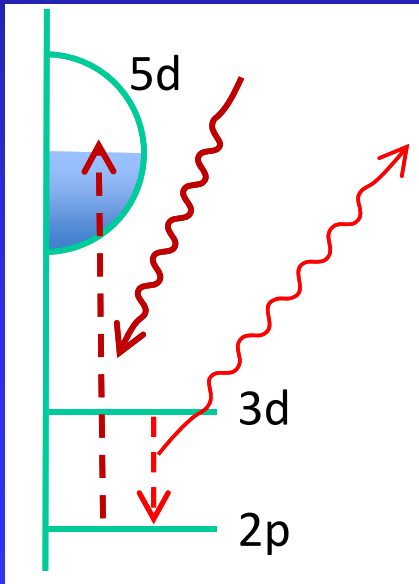
- Scanning the incoming photon energy
- Analysing the emitted photon energy



(Ir- L_3 - M_5 : $2p \rightarrow 5d$, $3d \rightarrow 2p$)

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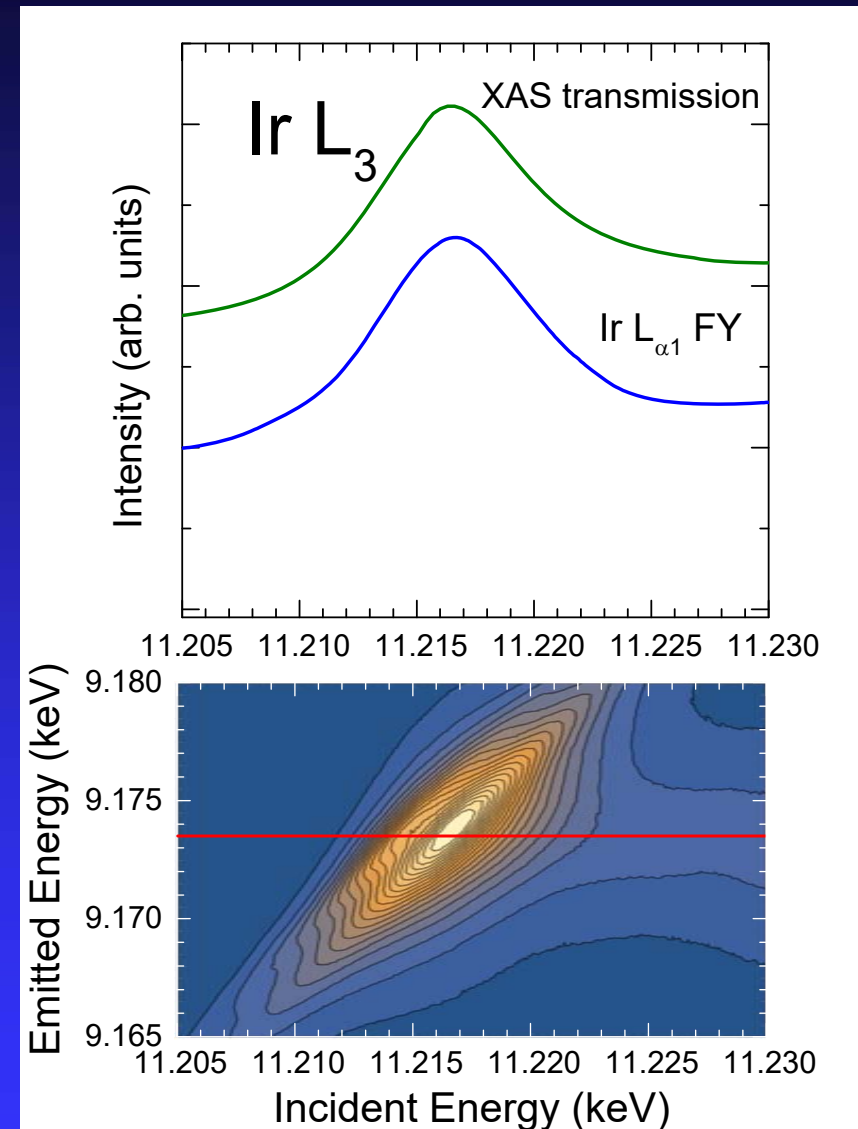
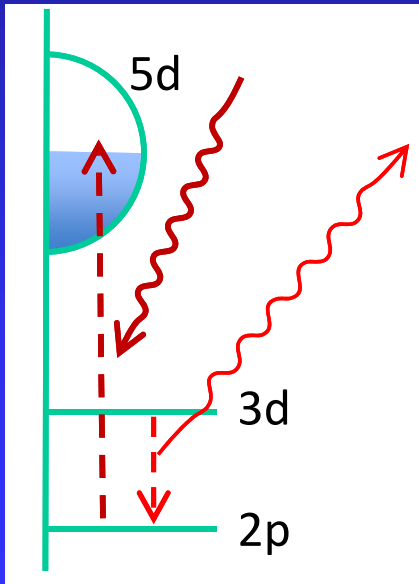
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(Ir- L_3 - M_5 : $2p \rightarrow 5d$, $3d \rightarrow 2p$)

RIXS on Ir L₃

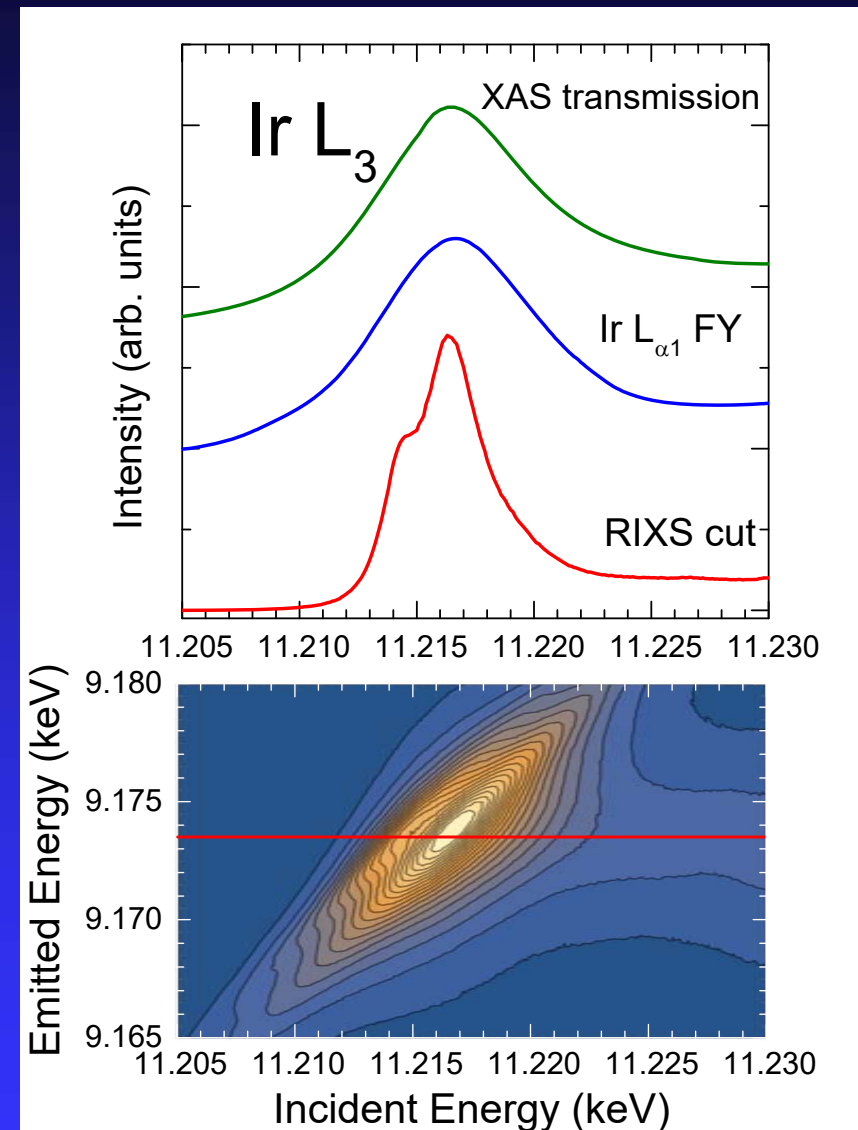
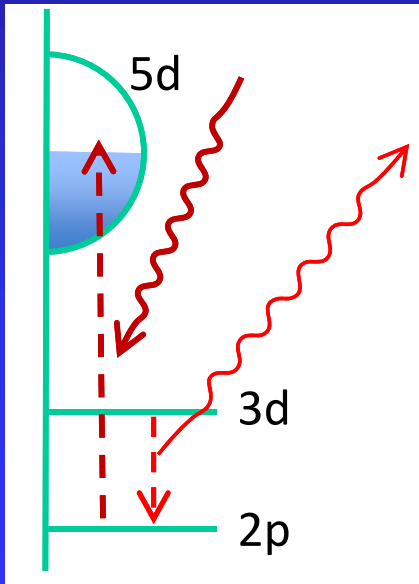
- Scanning the incoming photon energy
- Analysing the emitted photon energy



(Ir-L₃-M₅: 2p→5d, 3d→2p)

RIXS on Ir L_3

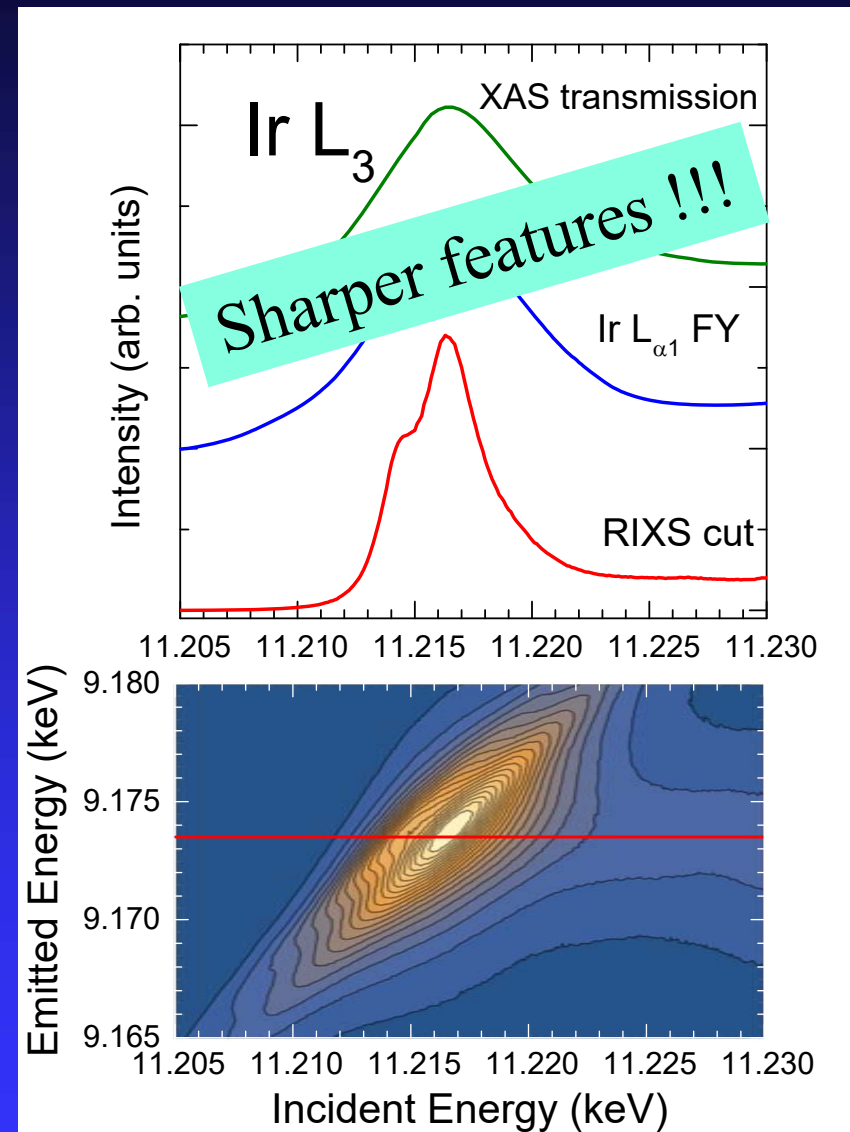
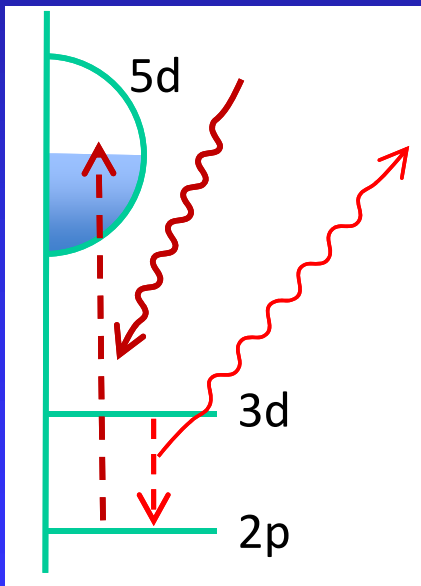
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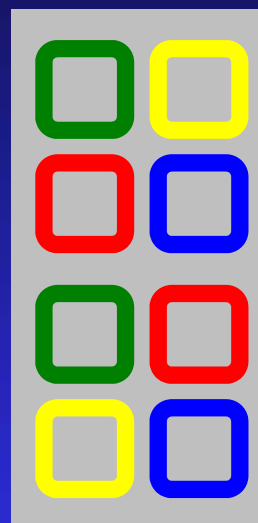
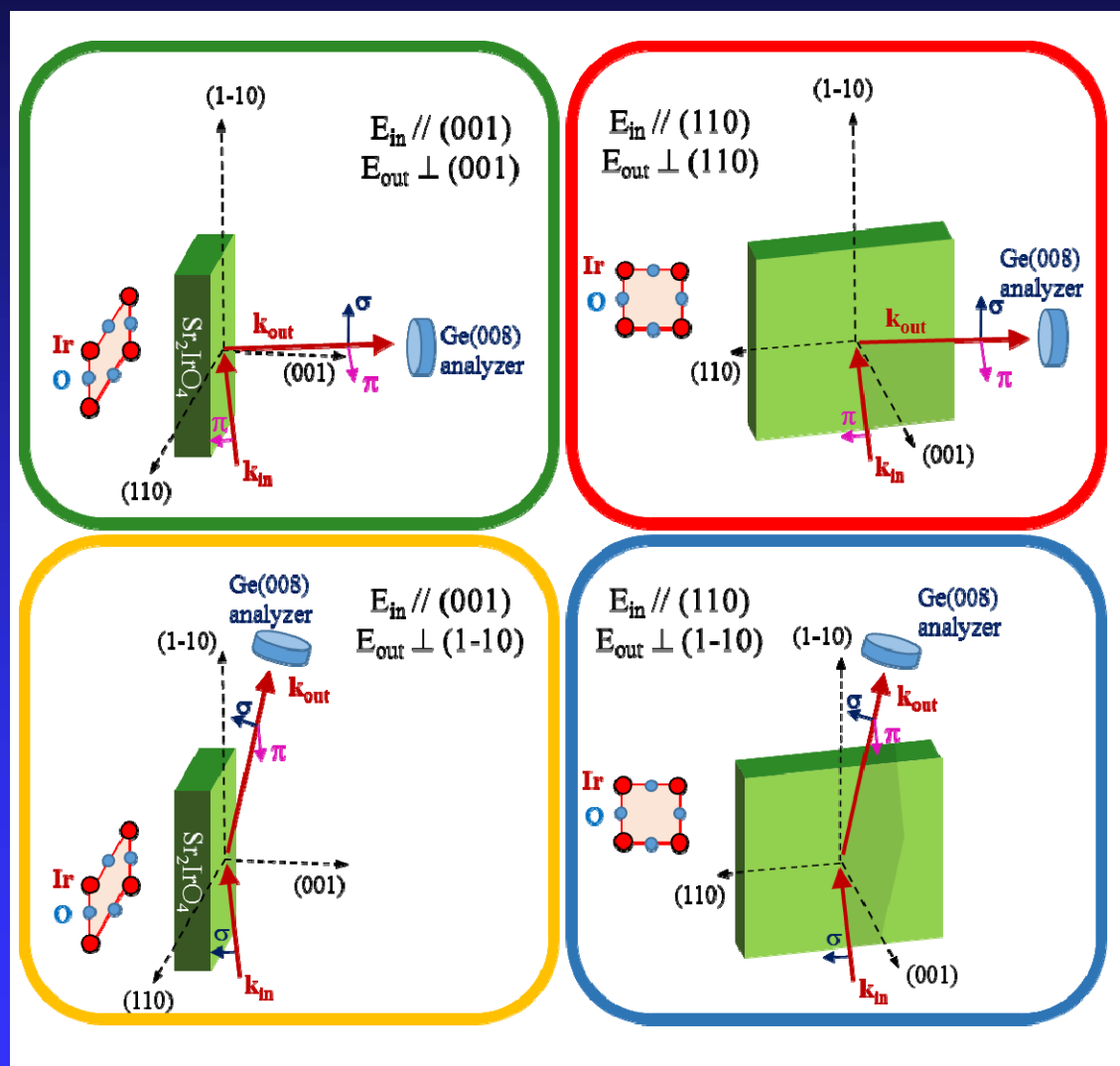
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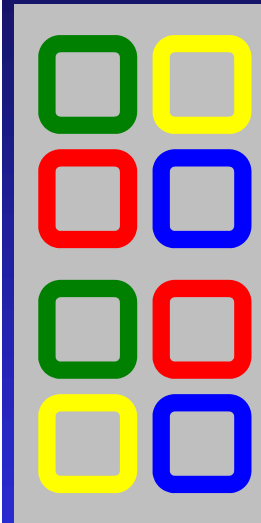
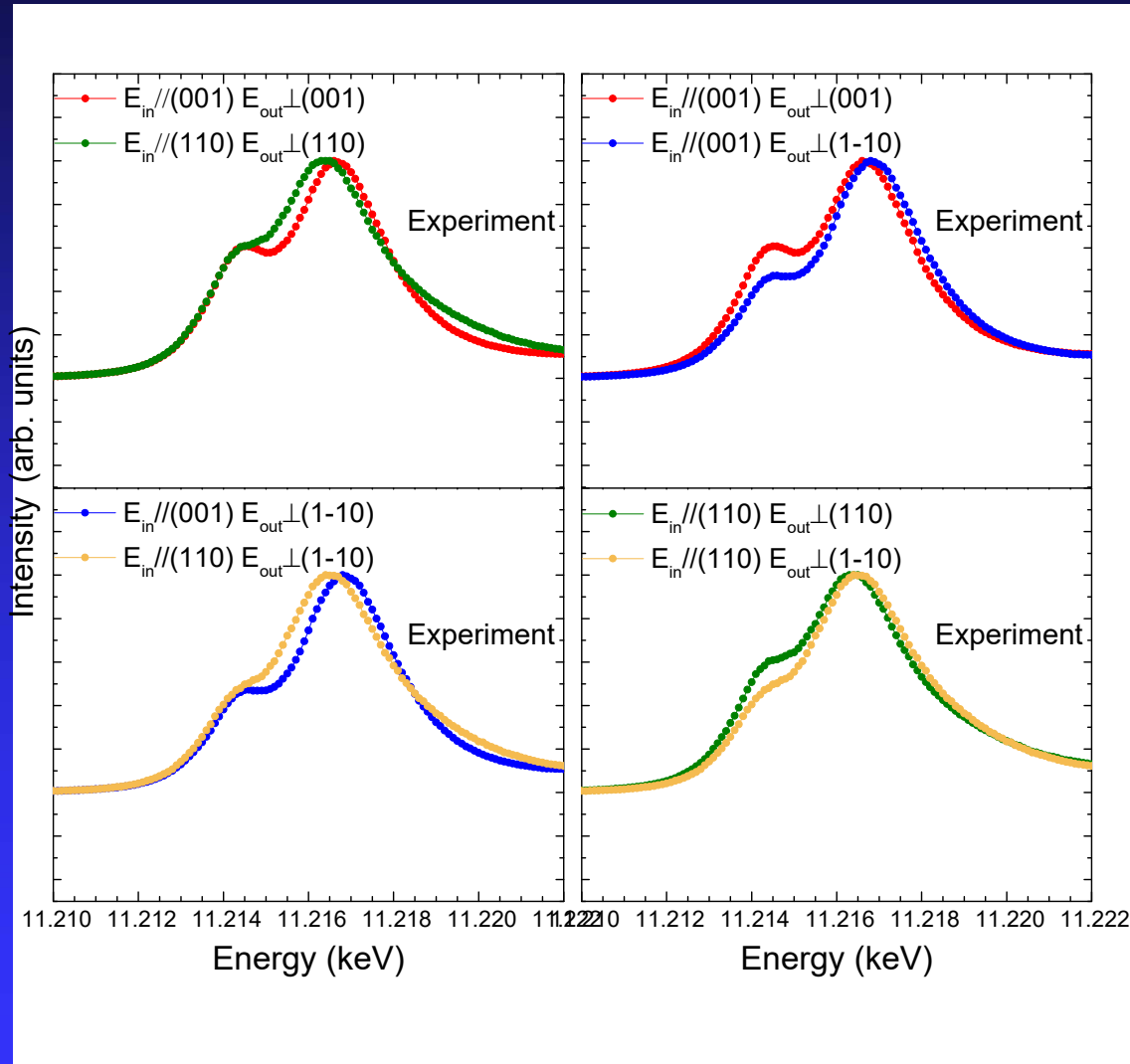
Polarization dependent RIXS



- Polarization in: $\sim c$ direction
- Polarization in: $\sim (a+b)$ direction
- 'Cross' polarized scattering
- 'Parallel' polarized scattering

Polarization dependent RIXS

Ir- L_3M_5 RIXS



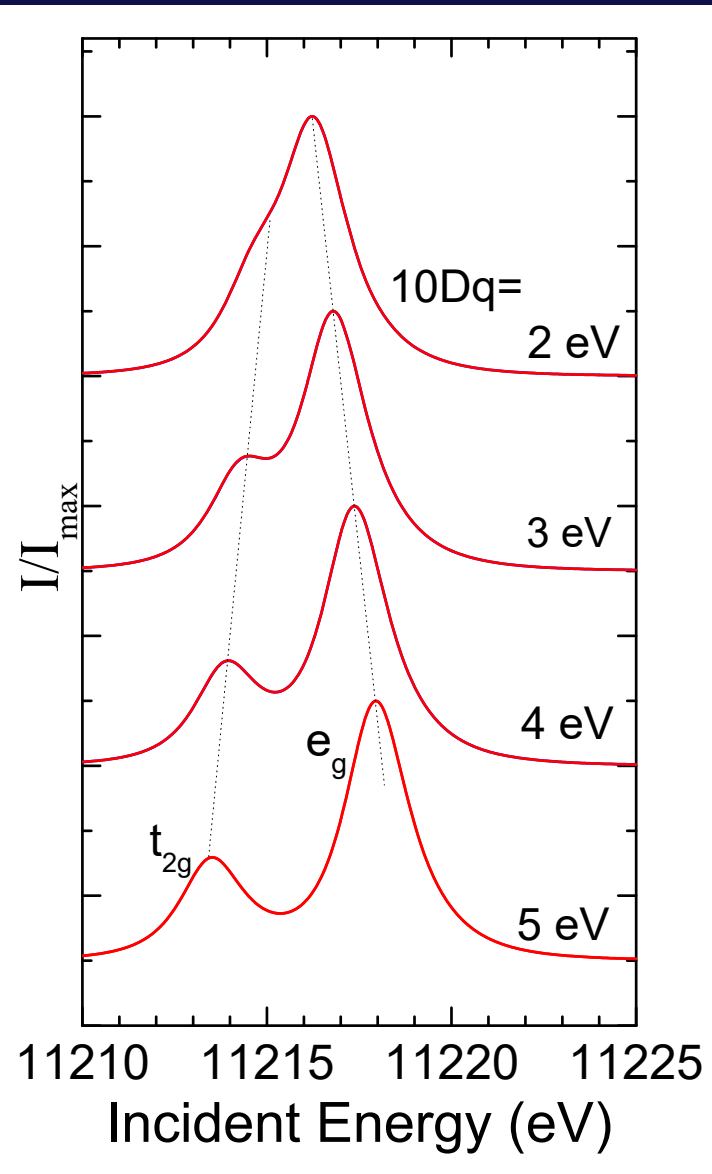
Polarization in: $\sim c$ direction

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Polarization dependent RIXS

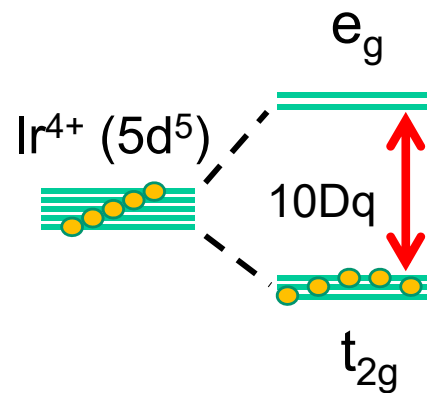


Ir- L_3M_5 RIXS

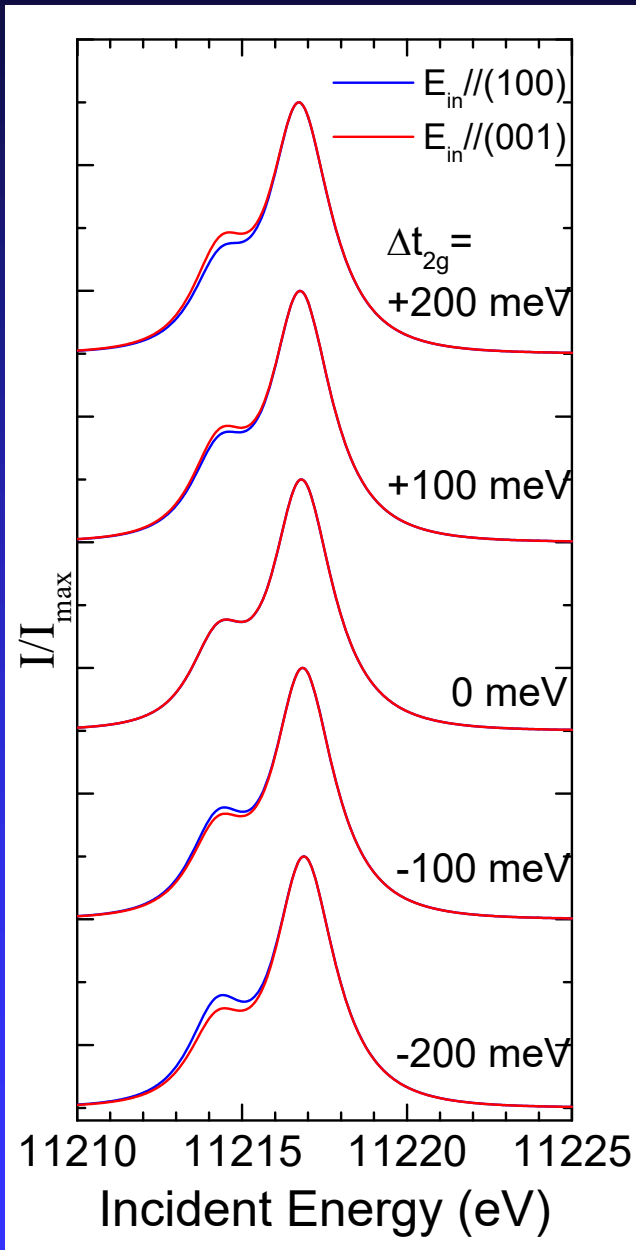
Ionic model

Cubic symmetry

Slater Integrals (SI)=0% atomic HF

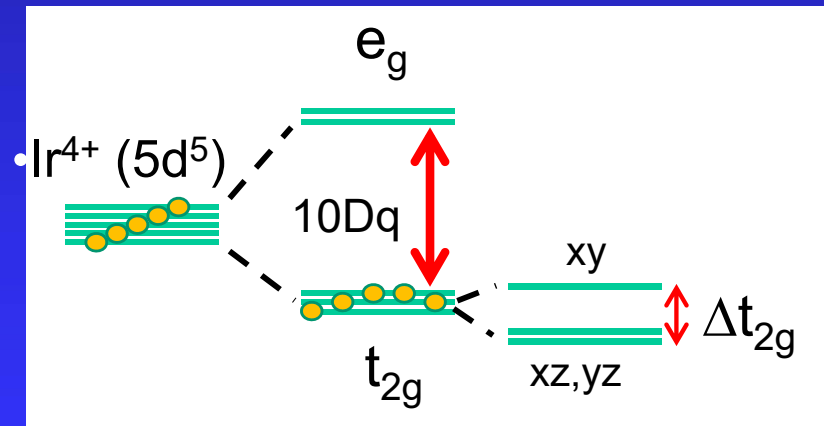


Polarization dependent RIXS

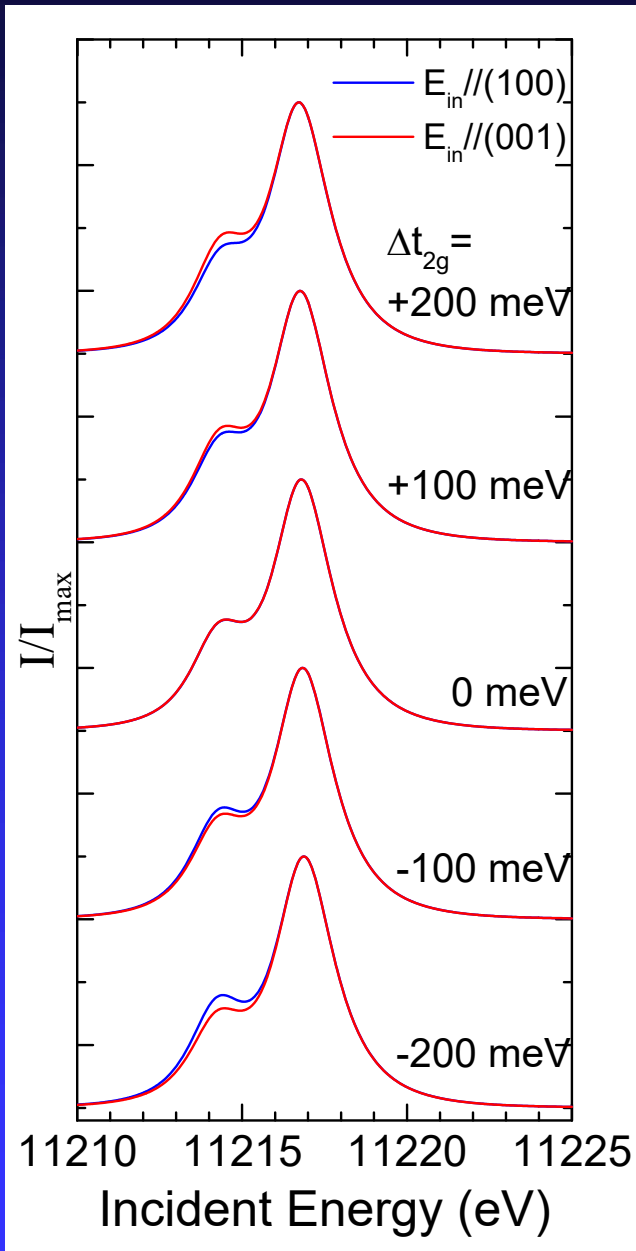


Ir- L_3M_5 RIXS

Ionic model
Tetragonal distortion
Slater Integrals (SI)=0% HF

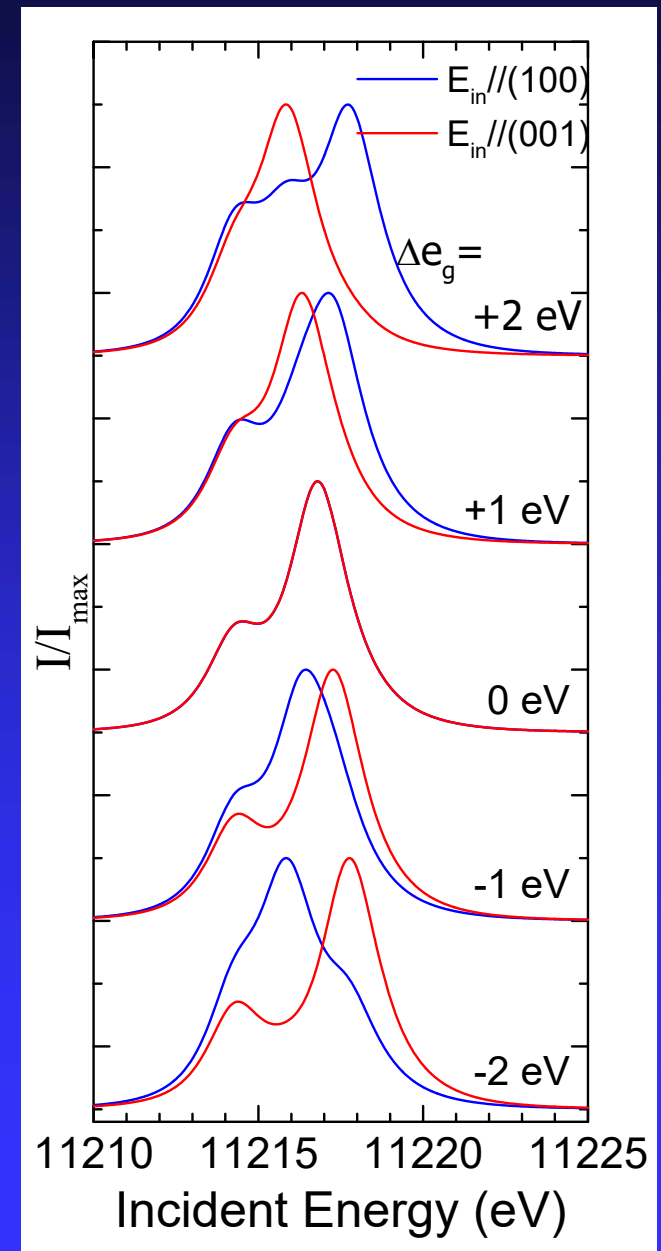
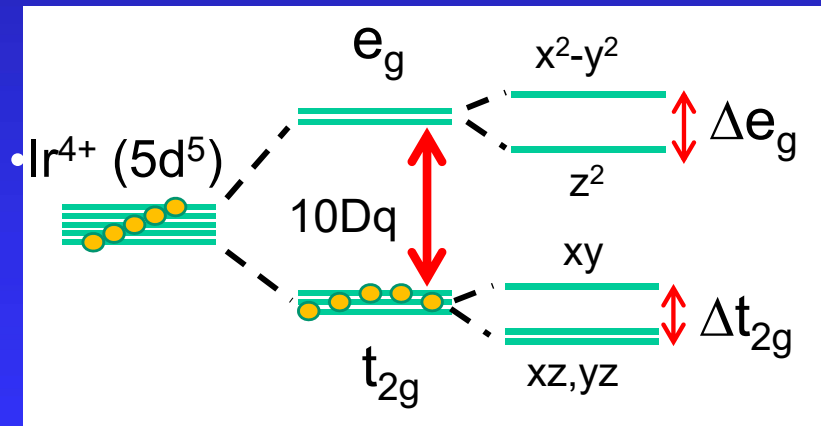


Polarization dependent RIXS



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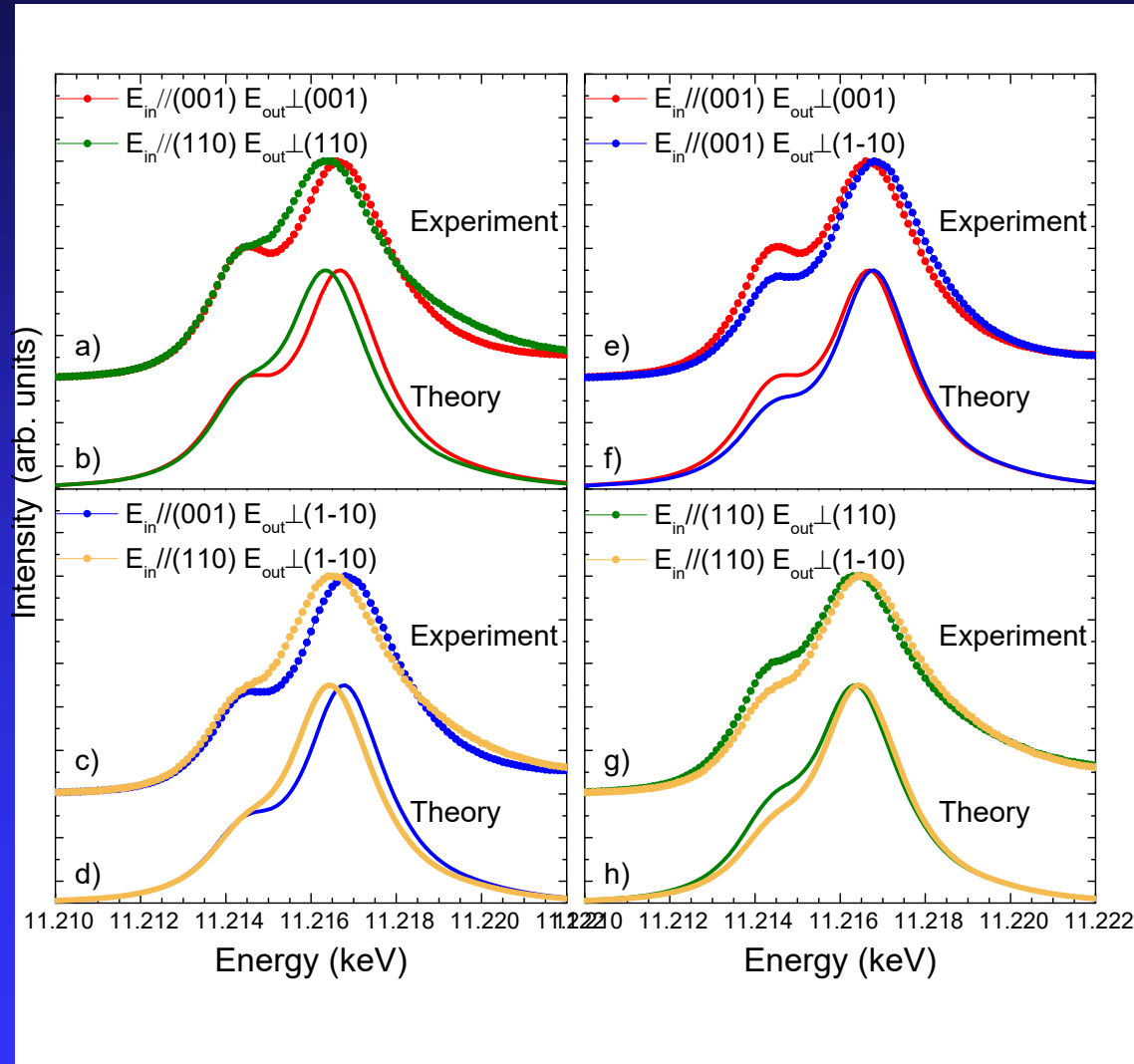


RIXS: fit with ionic model

Forced ionic fit

$$\begin{aligned} \text{SOC} &= 0.4 \text{ eV} \\ 10Dq &= 2.7 \text{ eV} \\ \Delta t_{2g} &= -150 \text{ meV} \\ \Delta e_g &= -0.5 \text{ eV} \end{aligned}$$

Slater Integrals = 20% Hartree-Fock



S. Agrestini et al., *Phys. Rev. B* **95**, 205123 (2017)

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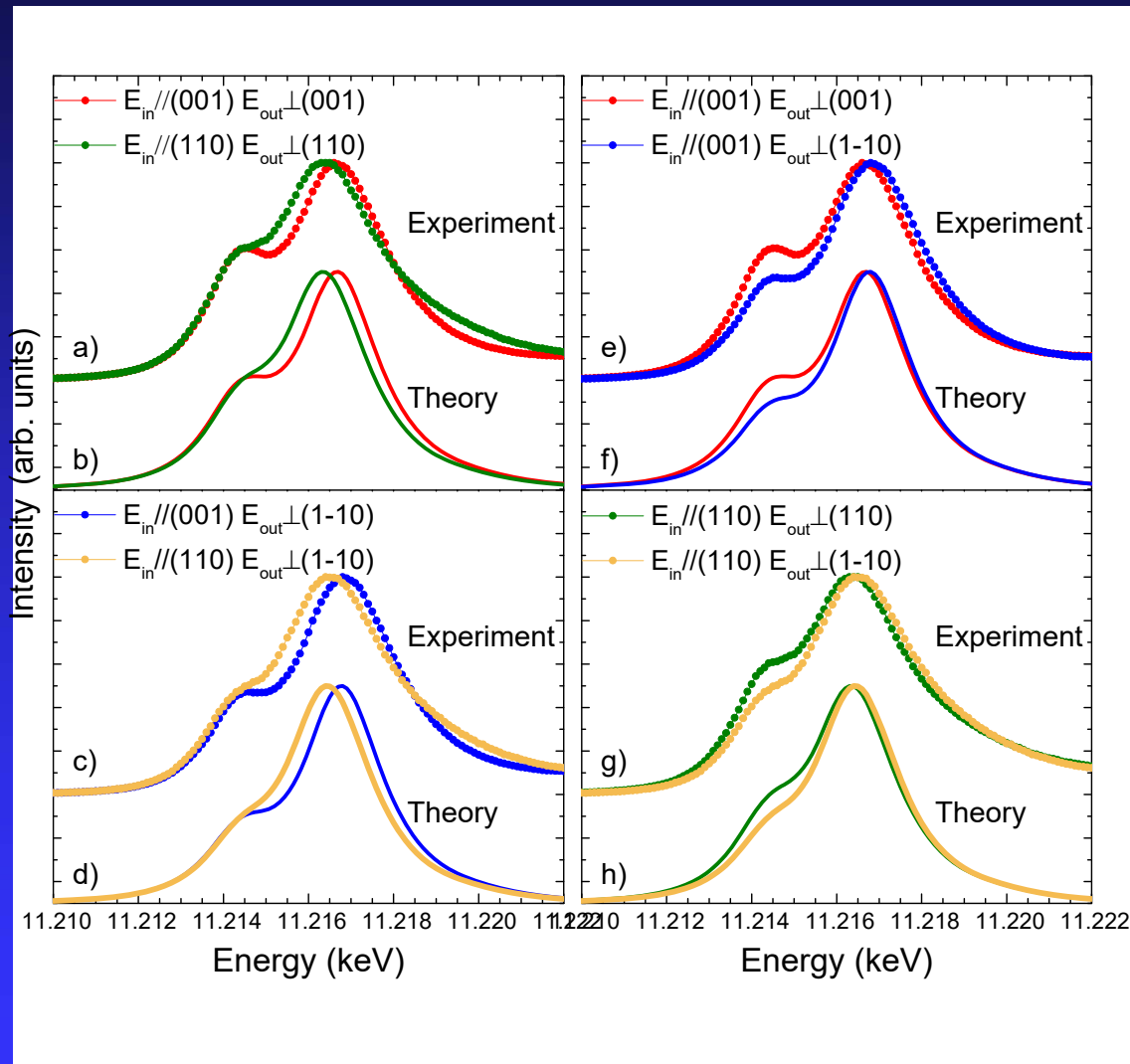
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$$\Delta t_{2g} < \text{SOC}$$

Not perfect for $J_{\text{eff}}=1/2$
but not too bad

However Slater Integrals
is 20% Hartree Fock



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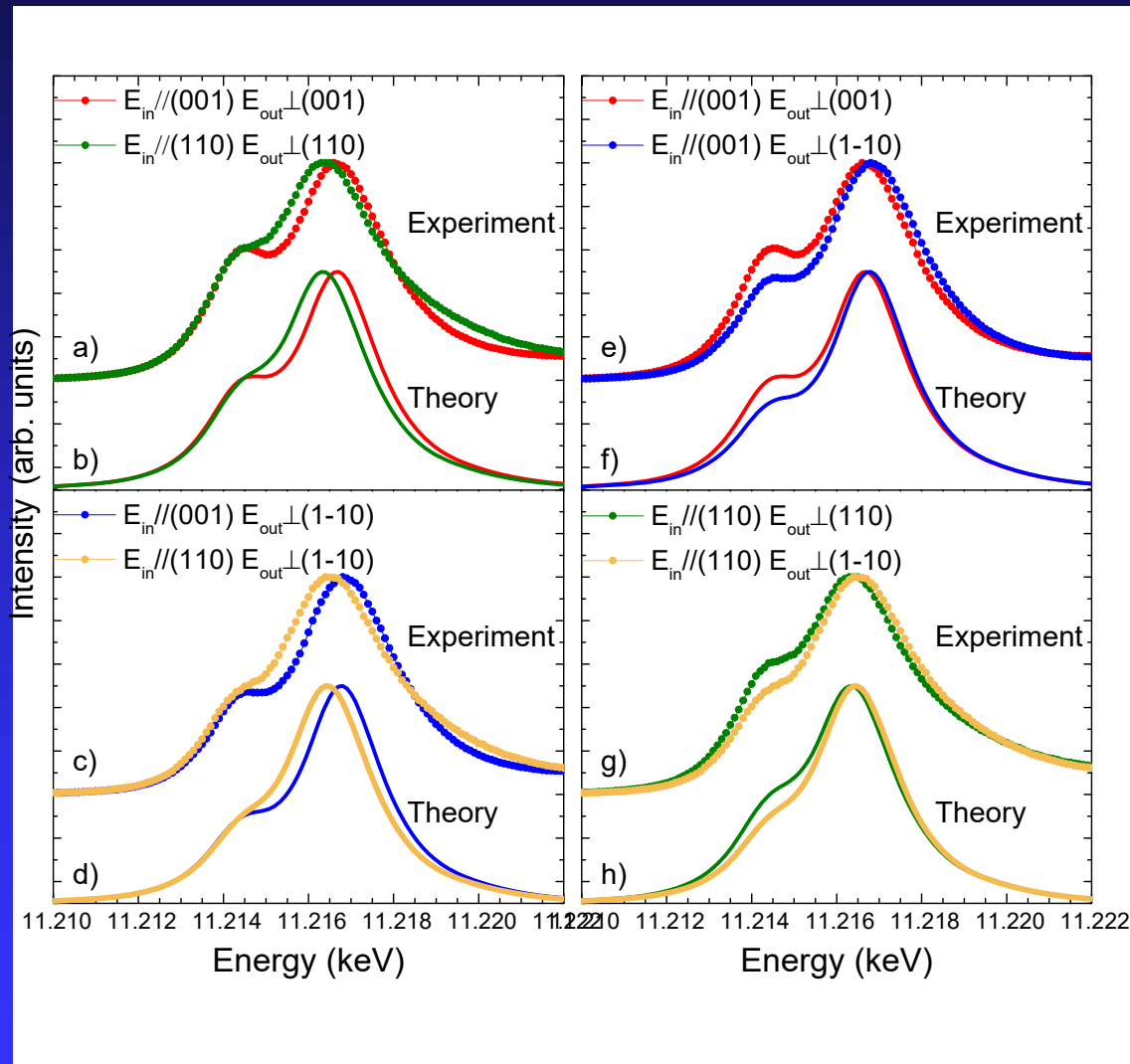
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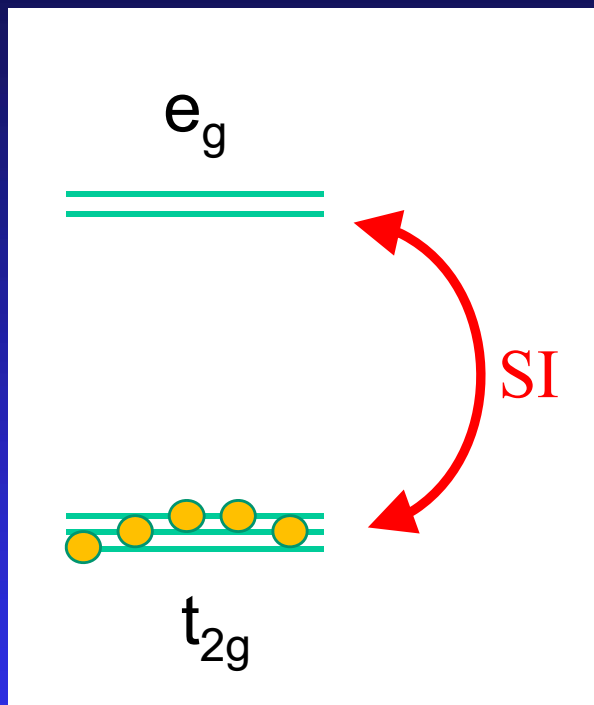
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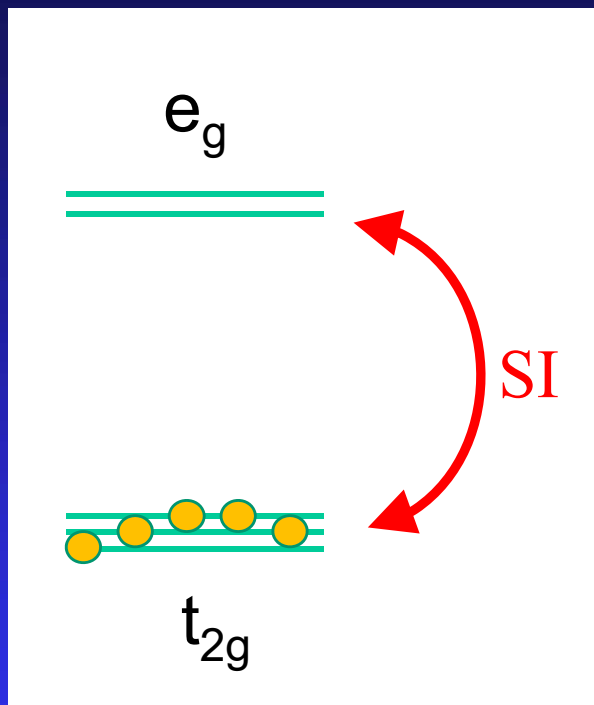
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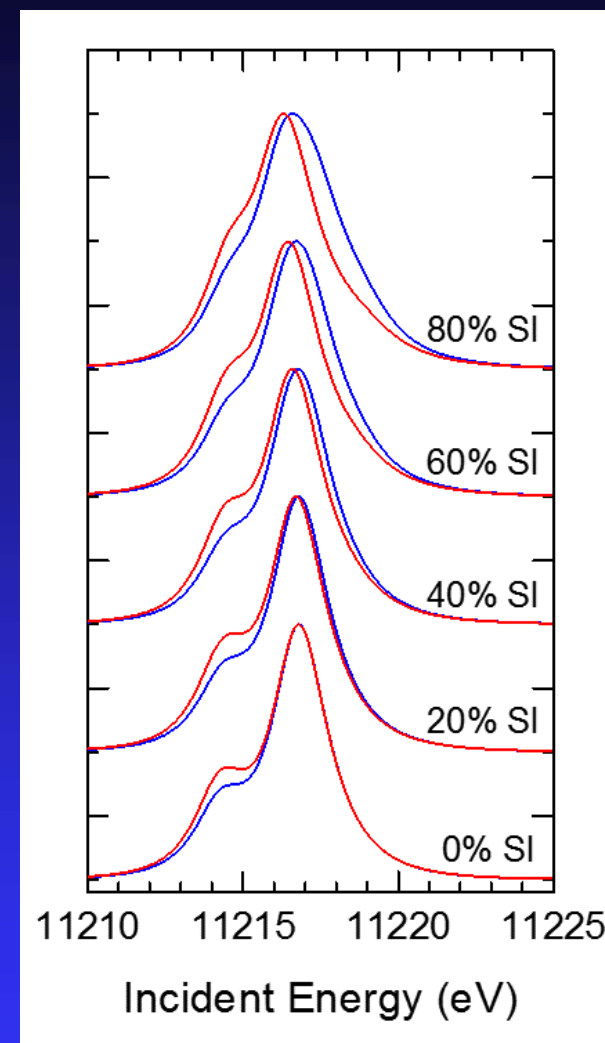
S. Agrestini et al., *Phys. Rev. B* **95**, 205123 (2017)



Slater Integrals mix
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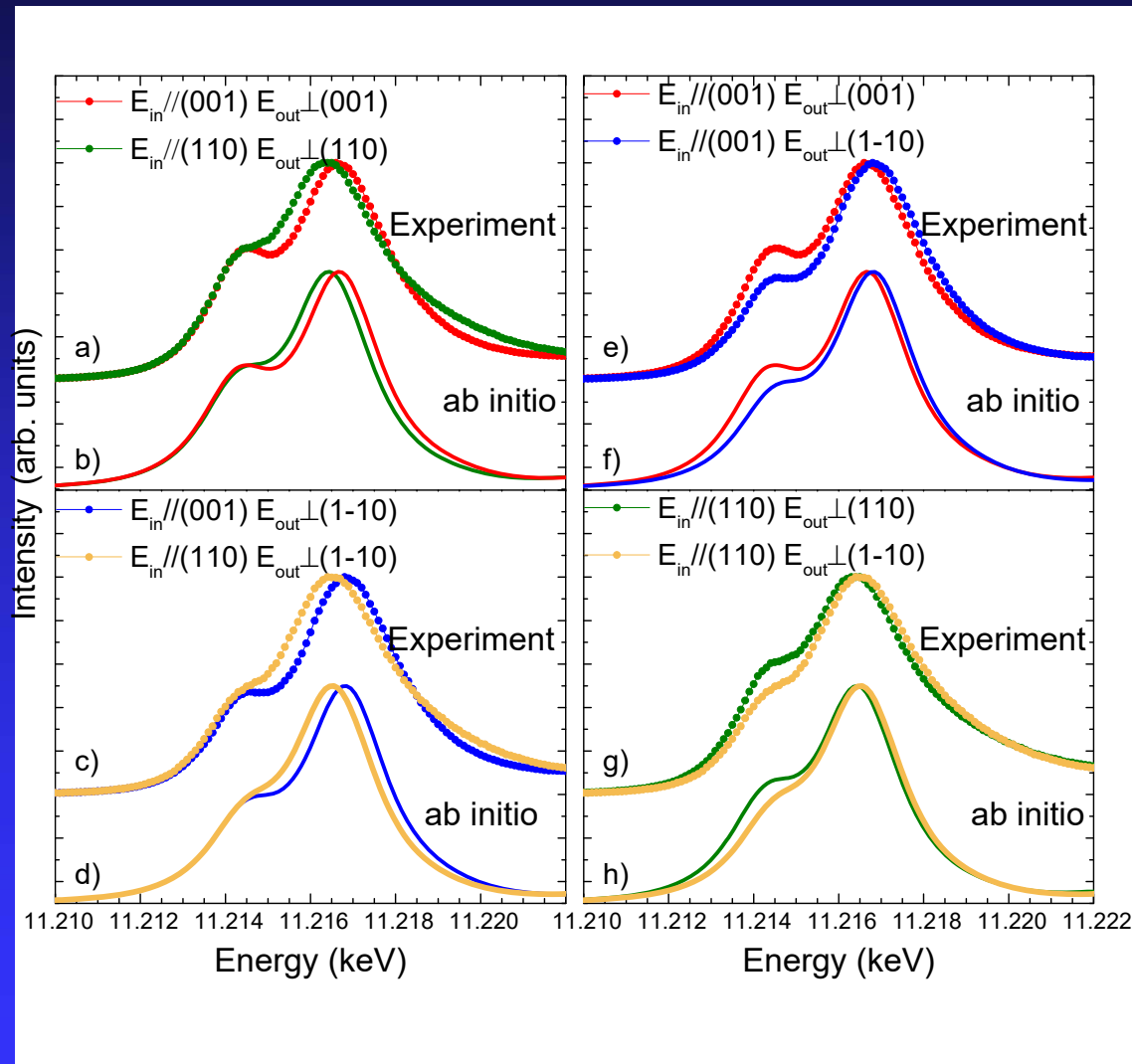
Slater Integrals mix
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Linear Dichroism between

- 'Cross' polarized scattering (horizontal)
- 'Parallel' polarized scattering (vertical)

RIXS: Ab Initio calculation including hybridization



SOC = 0.4 eV

$10Dq_{eff} = 2.5$ eV

$\Delta t_{2g} = -160$ meV

$\Delta e_g = -0.5$ eV

Slater Integrals = 75% Hartree-Fock

O-2p to Ir-5d

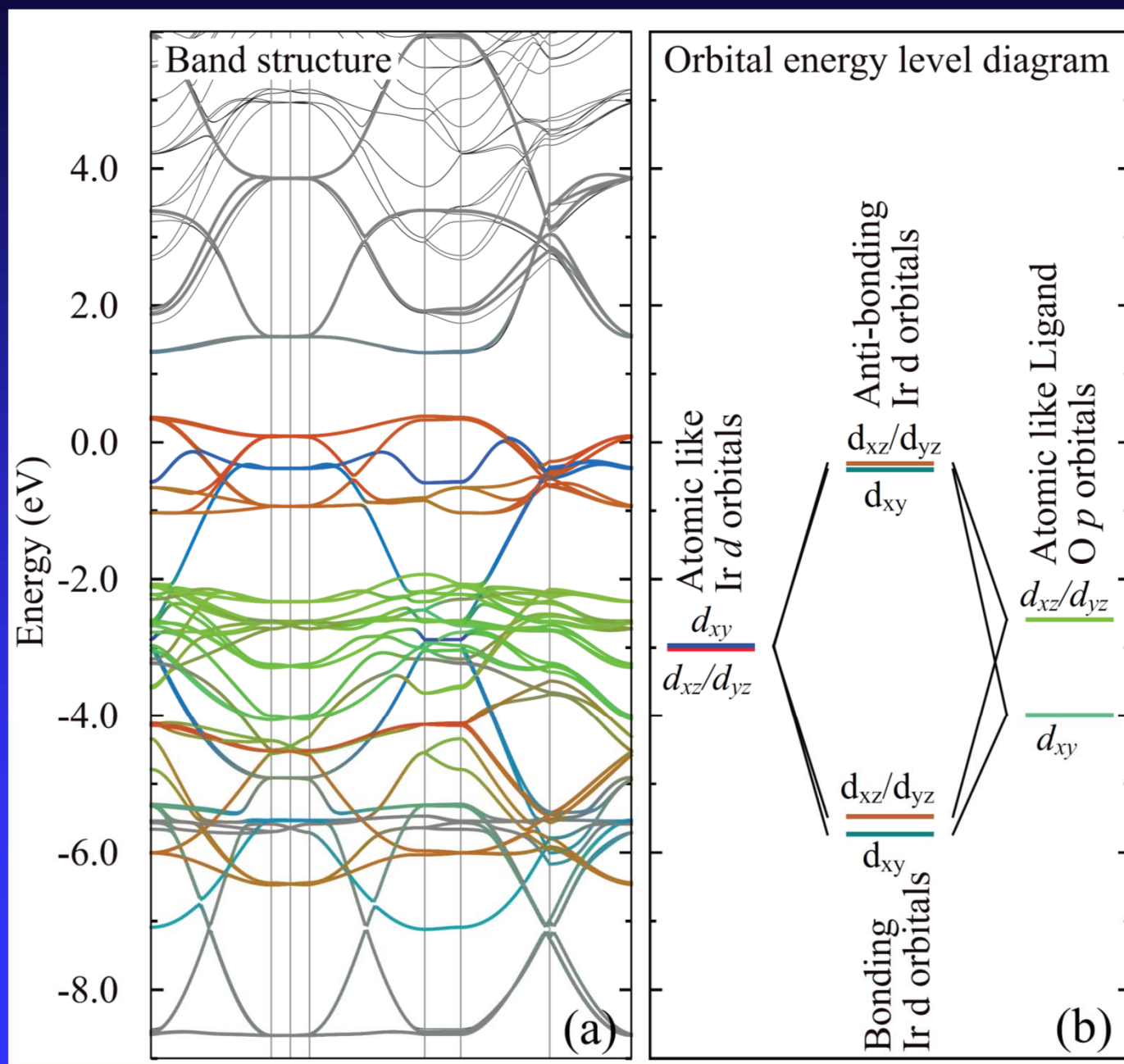
charge transfer energy ≈ -1.5 eV

$Ve_g \sim 4.3-4.5$ eV

$Vt_{2g} \sim 2.5-2.9$ eV

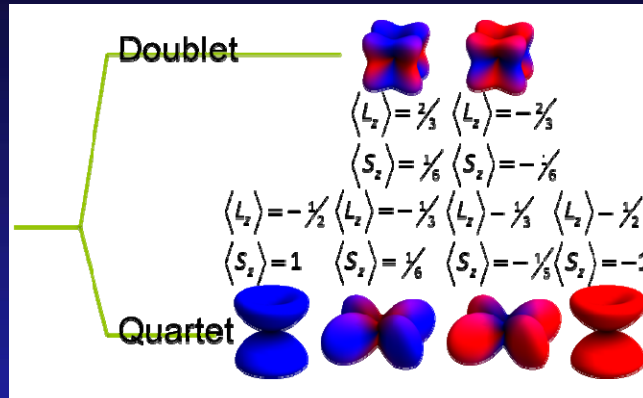
$V_{mix} \sim 0.7$ eV

Orbital energy level diagram



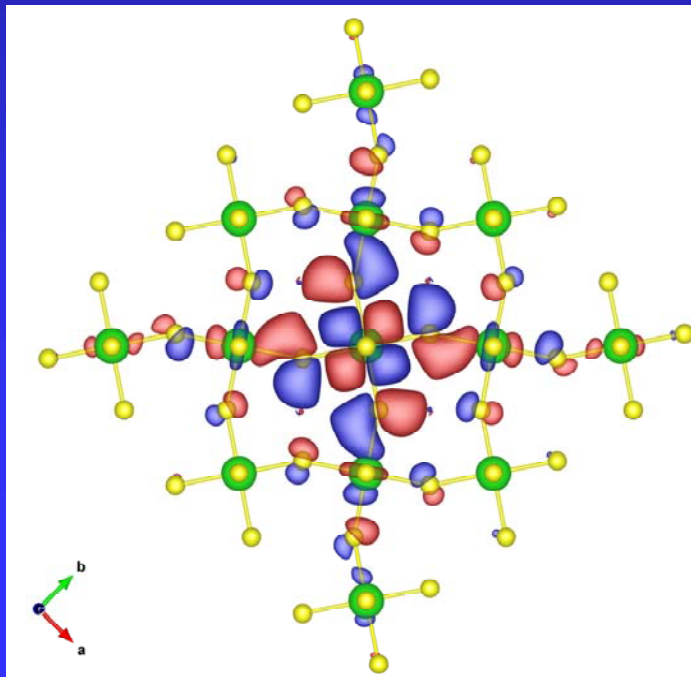
t_{2g} orbitals in Sr_2IrO_4

Cubic orbitals in $J_{\text{eff}}=1/2$ model

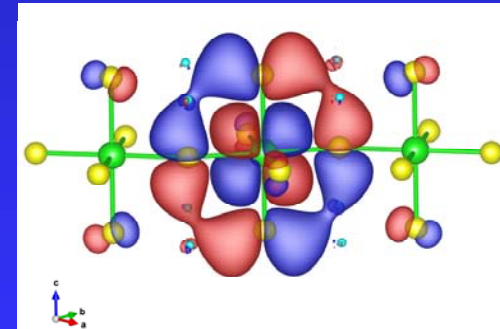


The t_{2g} orbitals in Sr_2IrO_4 are very different from the cubic orbitals considered in the $J_{\text{eff}}=1/2$ model.

d_{xy}



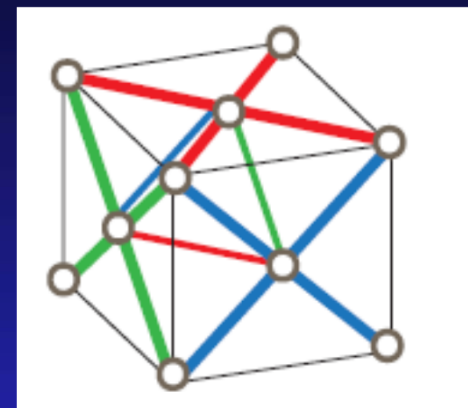
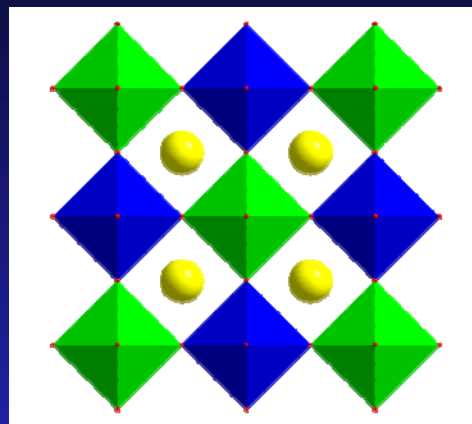
d_{xz} / d_{yz}



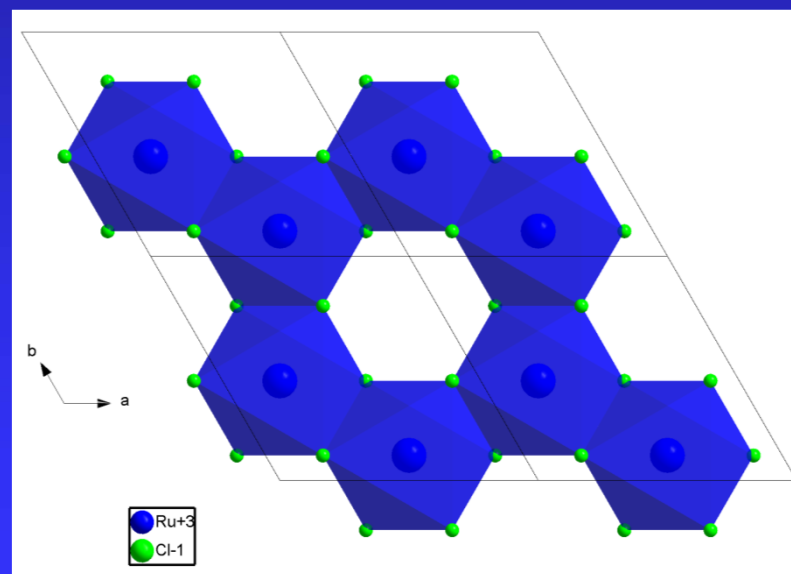
orbitals (xy) and (xz/yz) have very different shape, extension and interactions.

How to solve the covalency problem ?

- Enhance distance between Ir atoms to create nearest neighbor models: double perovskites.



- Reduce covalency : less charged d^5 ions (Os^{3+} , Ru^{3+}) and/or fluorine compounds
- Tuning the Ir-O-Ir bonding angle (Roser Valenti, Takagi)



Conclusions

- The 160 meV intra t_{2g} splitting compared to the SOC brings Sr_2IrO_4 “somewhat” away from the cubic symmetry
- We found that Ir^{4+} compounds are highly covalent
- The orbitals (xy) and (xz/yz) have very different shape, extension and interactions.
- Anisotropic long range interactions prevent a nearest neighbor Kitaev or other compass model to be formed.
- The reduction of covalency is a key ingredient in the design of Kitaev materials

I thank you very much
for
your kind attention